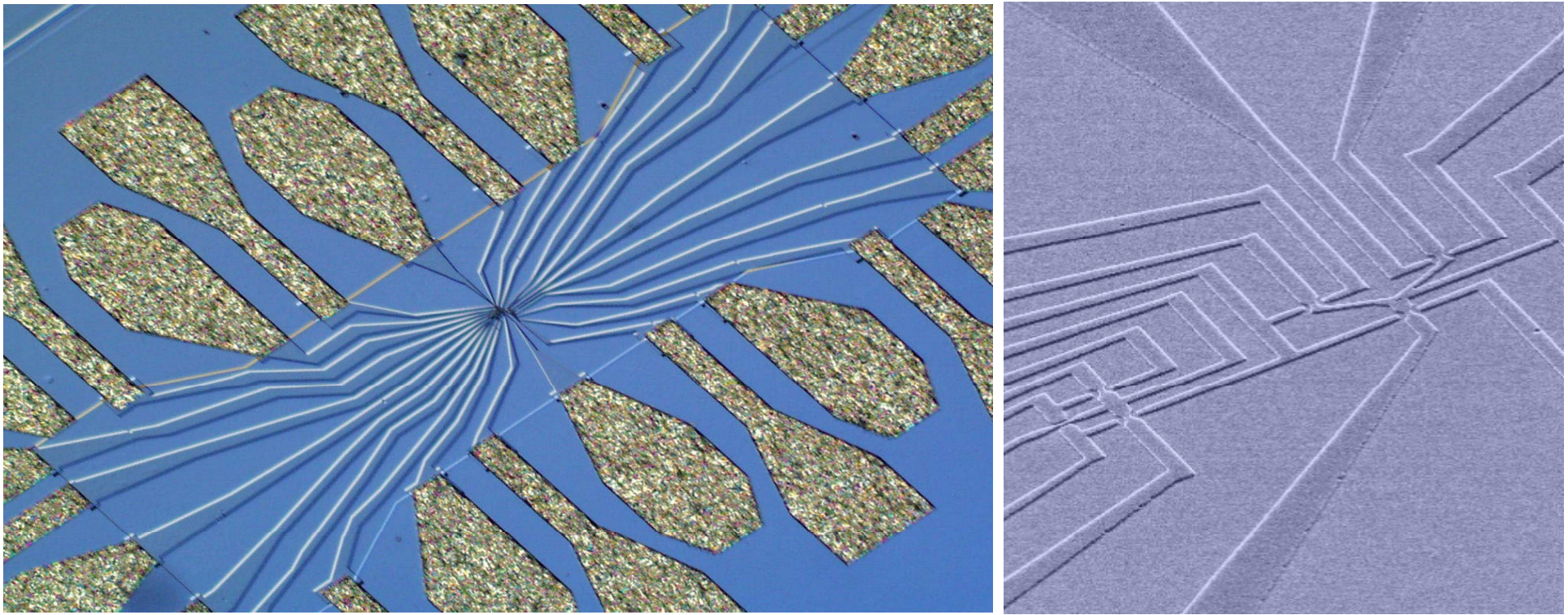
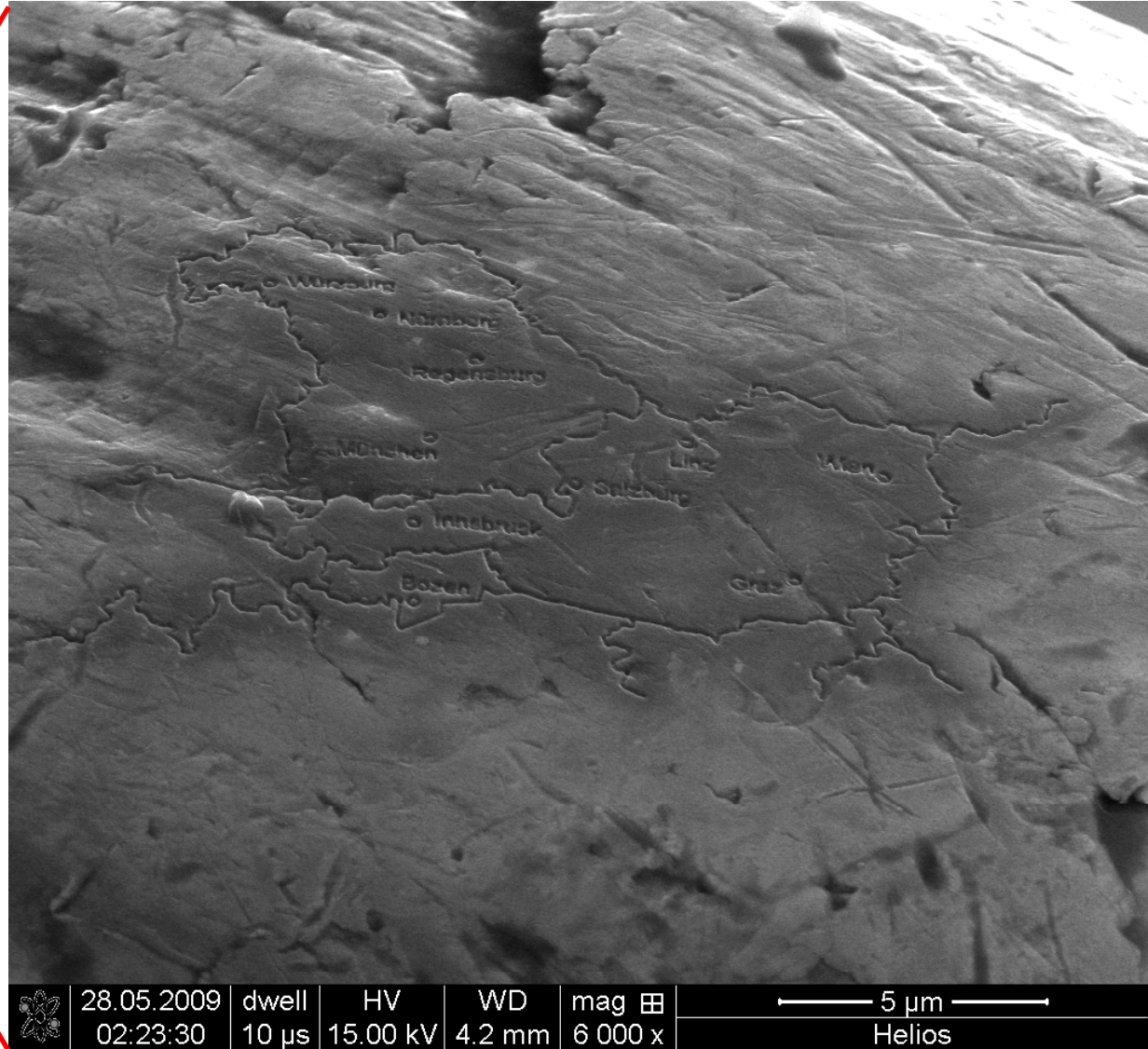
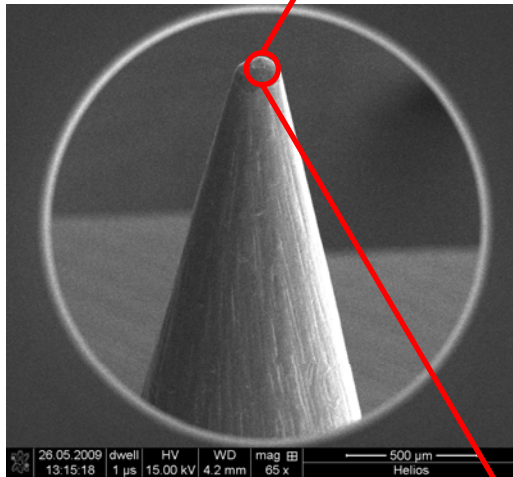


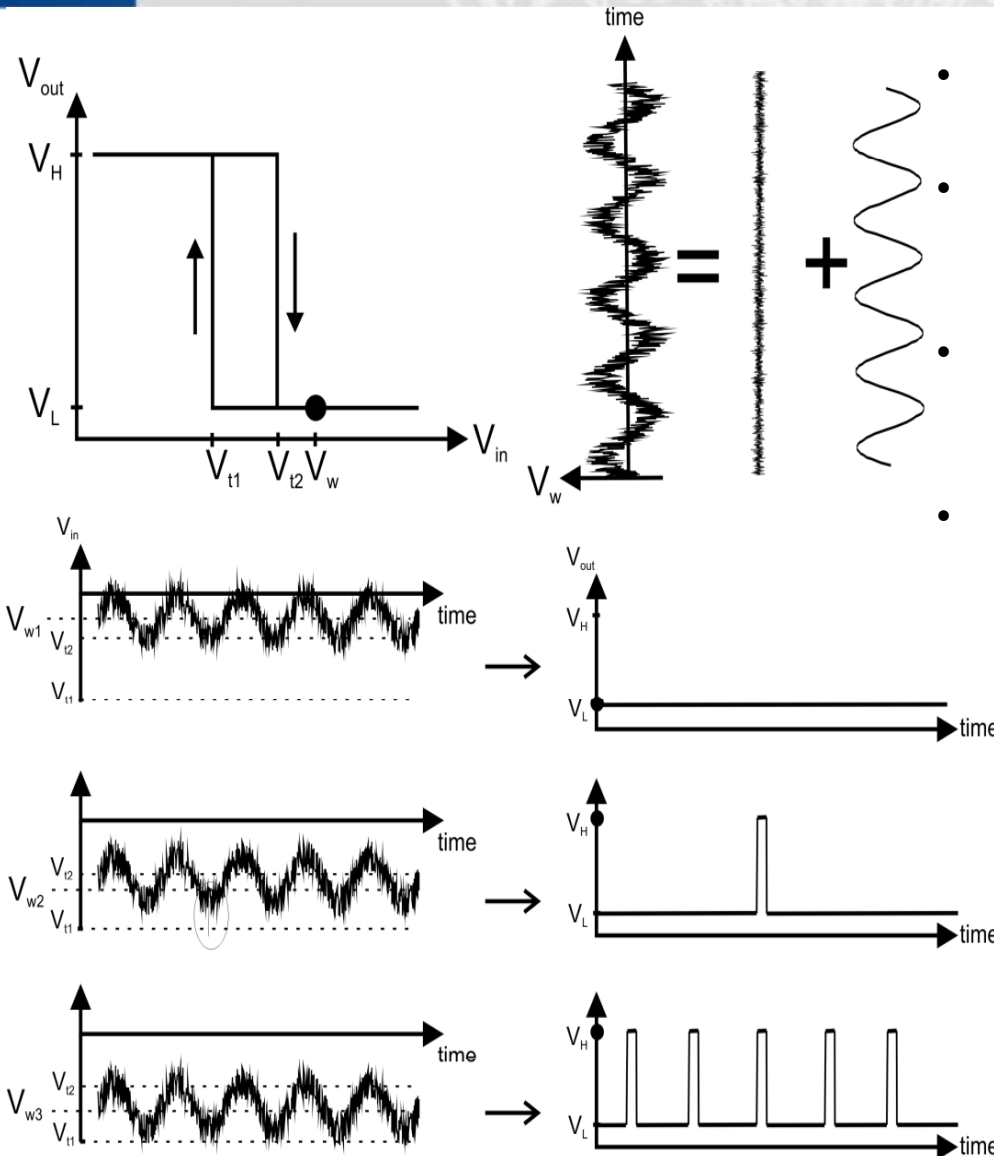
Energy harvesting in nanoelectronic devices

Lukas Worschech

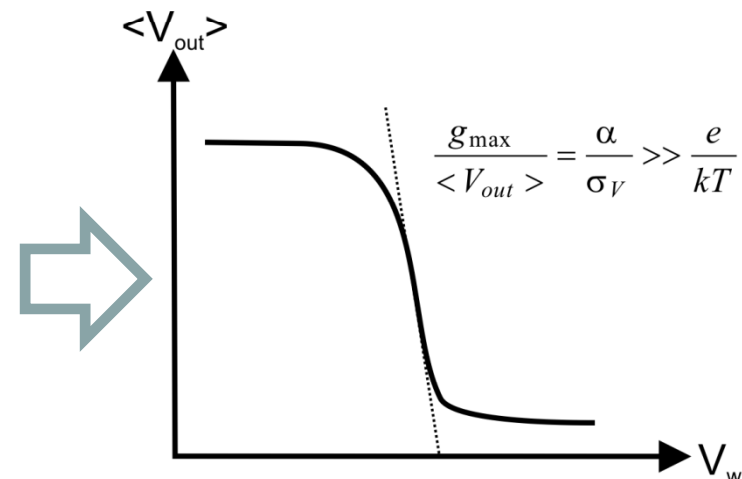
Technische Physik, Universität Würzburg, Germany



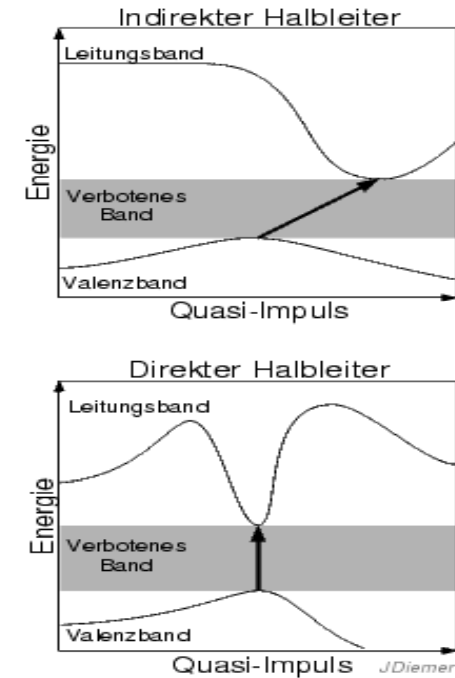
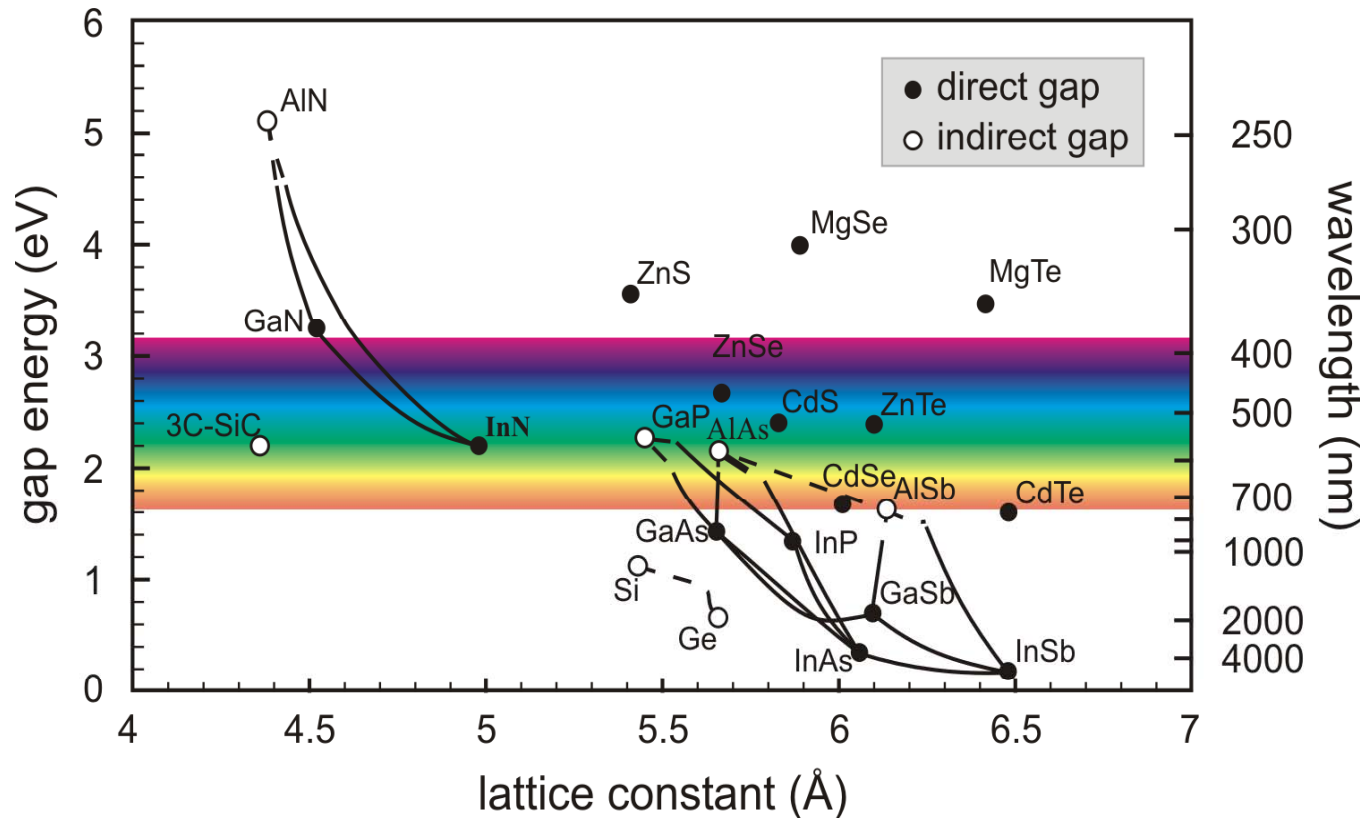




- Energy harvesting: Energy provider+Transducer+Rectifier
- Nonlinearities in nanoelectronics: Quantum effects, reduced screening, many devices, bits per volume
- Ultra-miniaturized circuits: Small signal-to-noise ratios (SNR) & feedback between different devices are unavoidable
- Is it possible to exploit ambient noise and feedback action for electronic applications

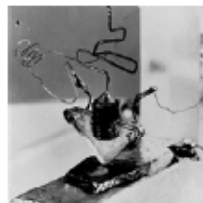
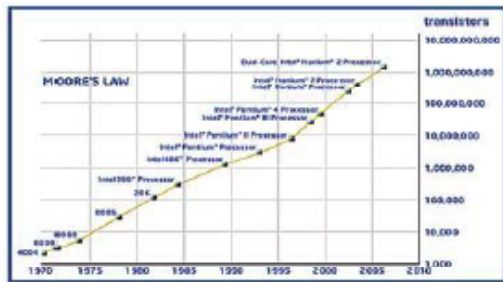


- Nanoelectronic semiconductor electronic devices
 - Technology
 - Nonlinear nanoelectronic transport
 - Magnetic field asymmetry in quantum wire
 - SR in a YBS as B field sensor
 - Y-branch as logic gate and GHz rectifier
 - Logic stochastic resonance in RTDs

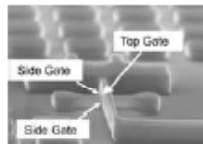


- **Electronics: frequencies Hz – THz**
- **Optoelectronics: wavelengths 0.2 – 100 μm**

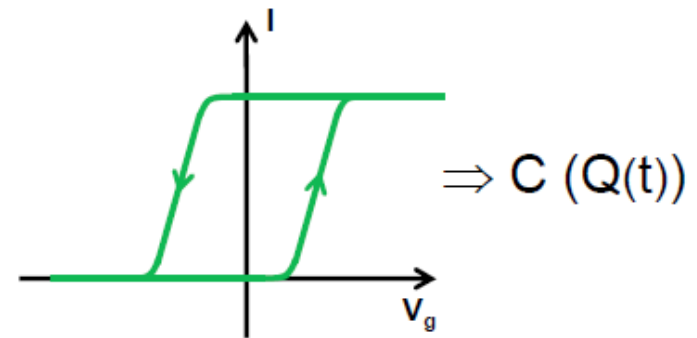
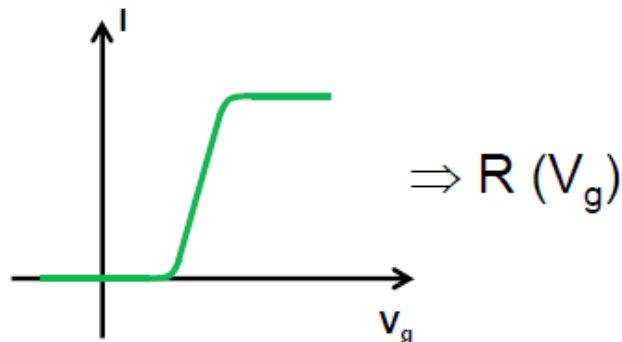
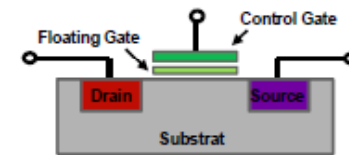
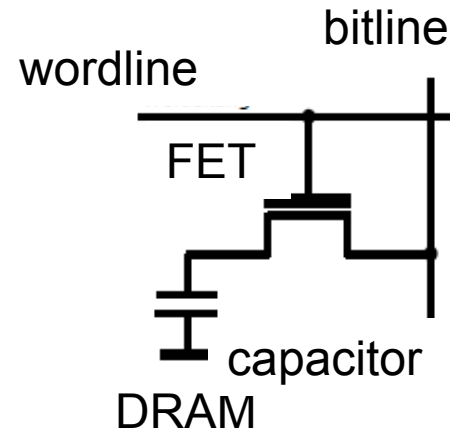
- Transistors and memories

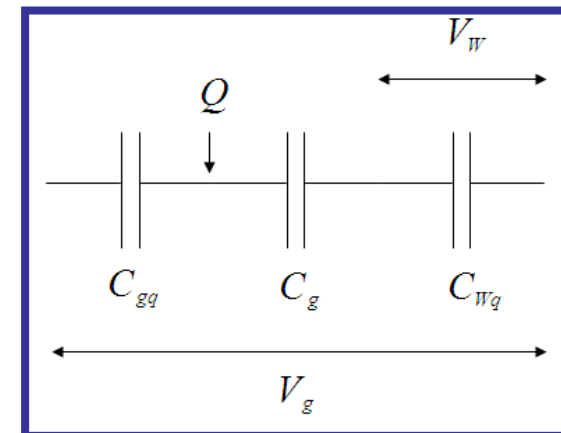
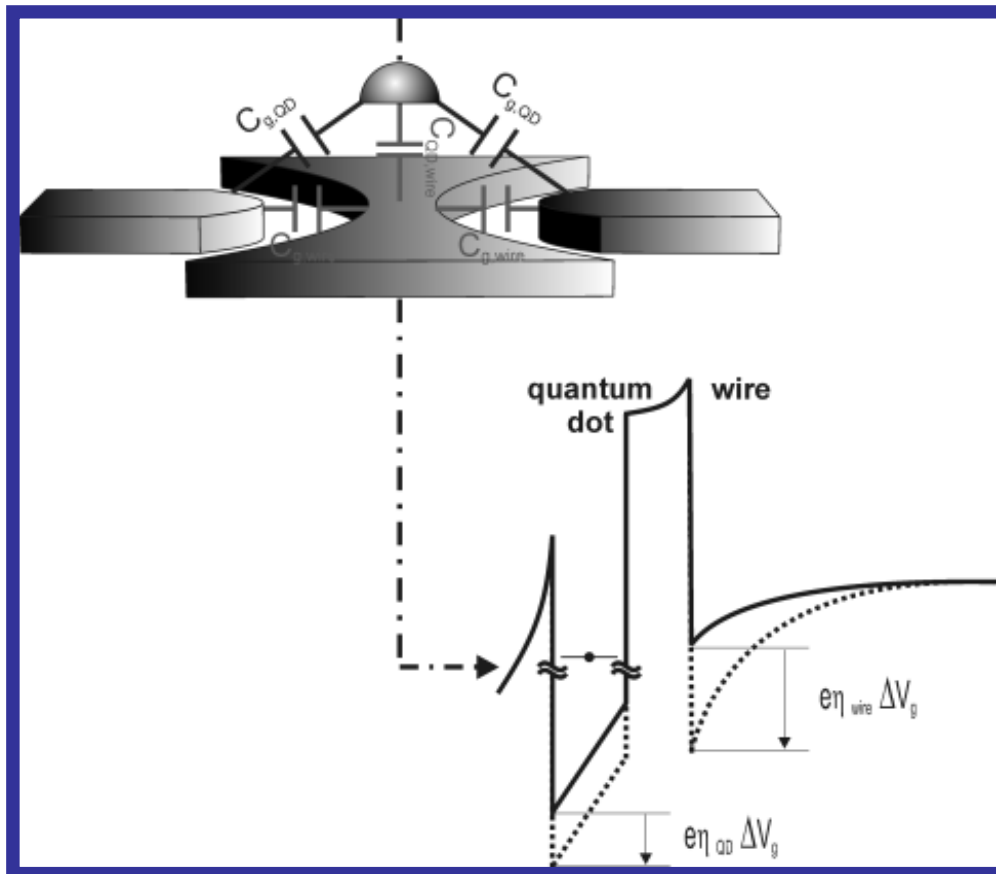


1947

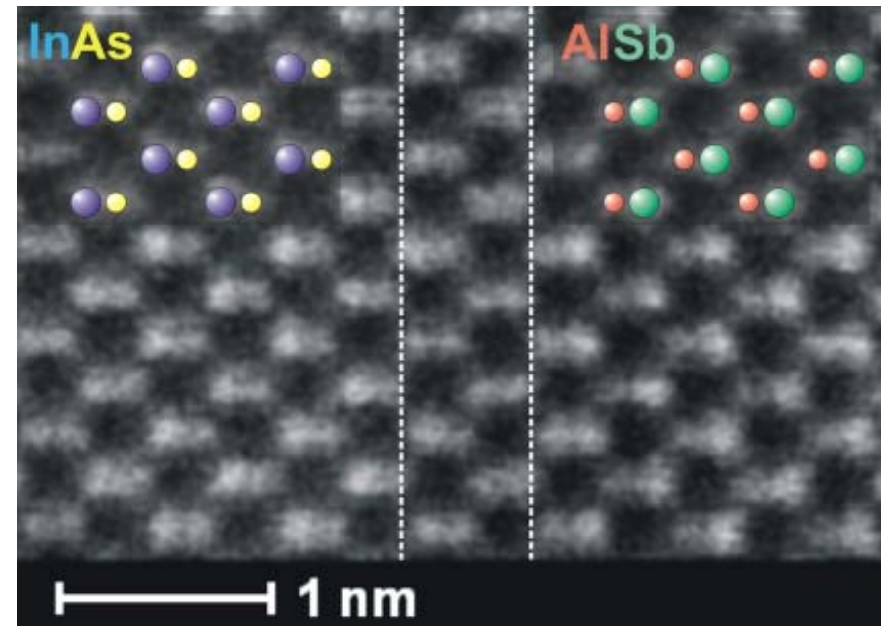
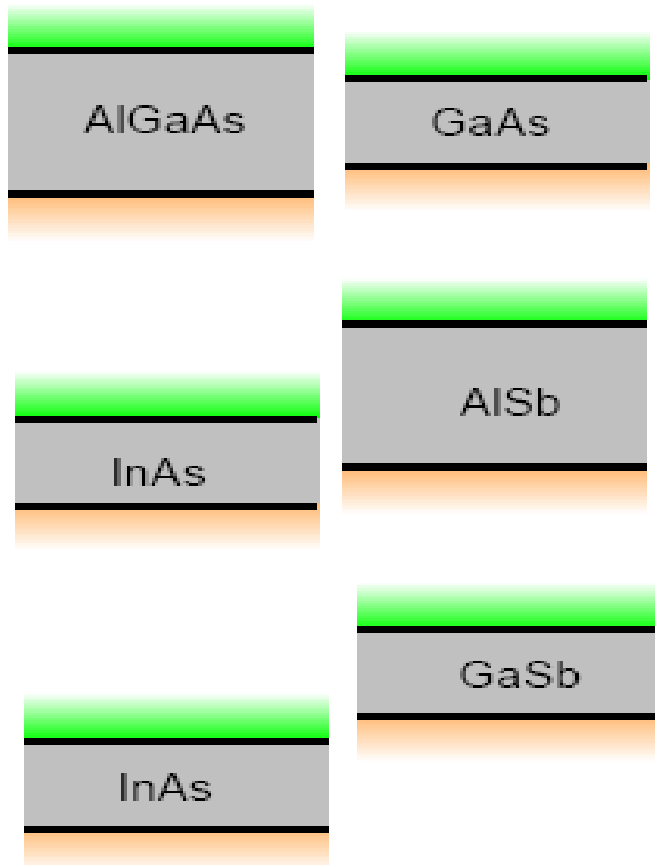


today

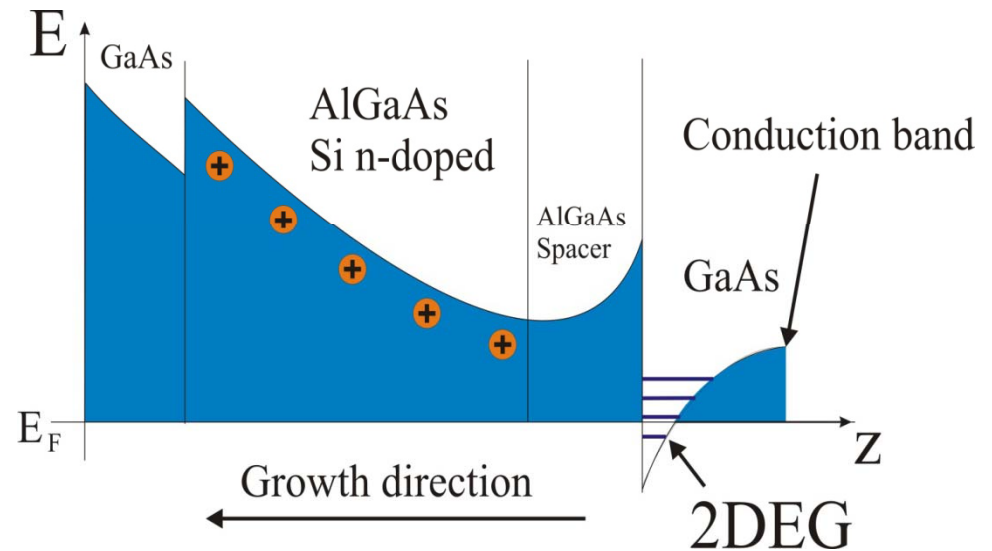
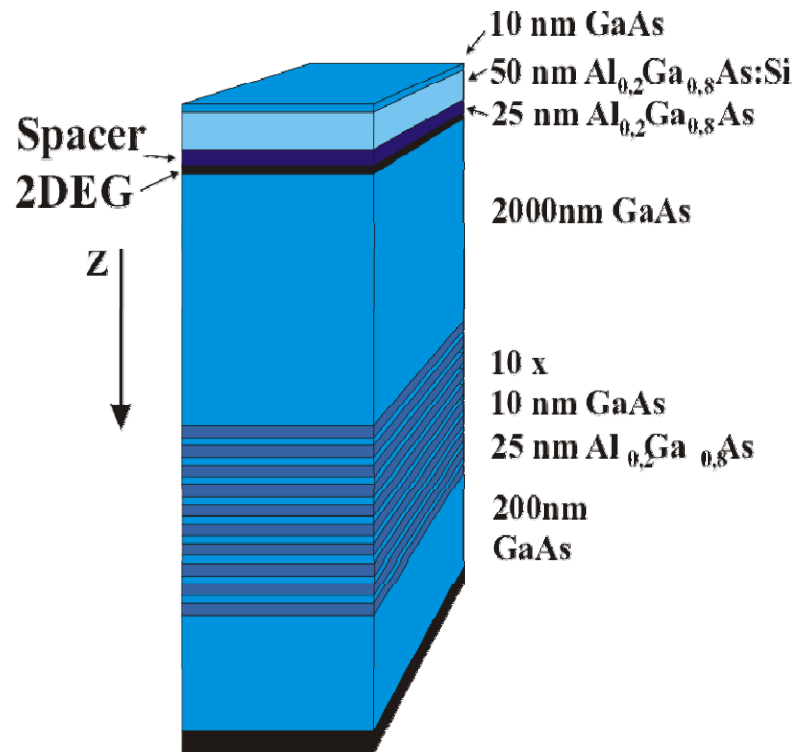




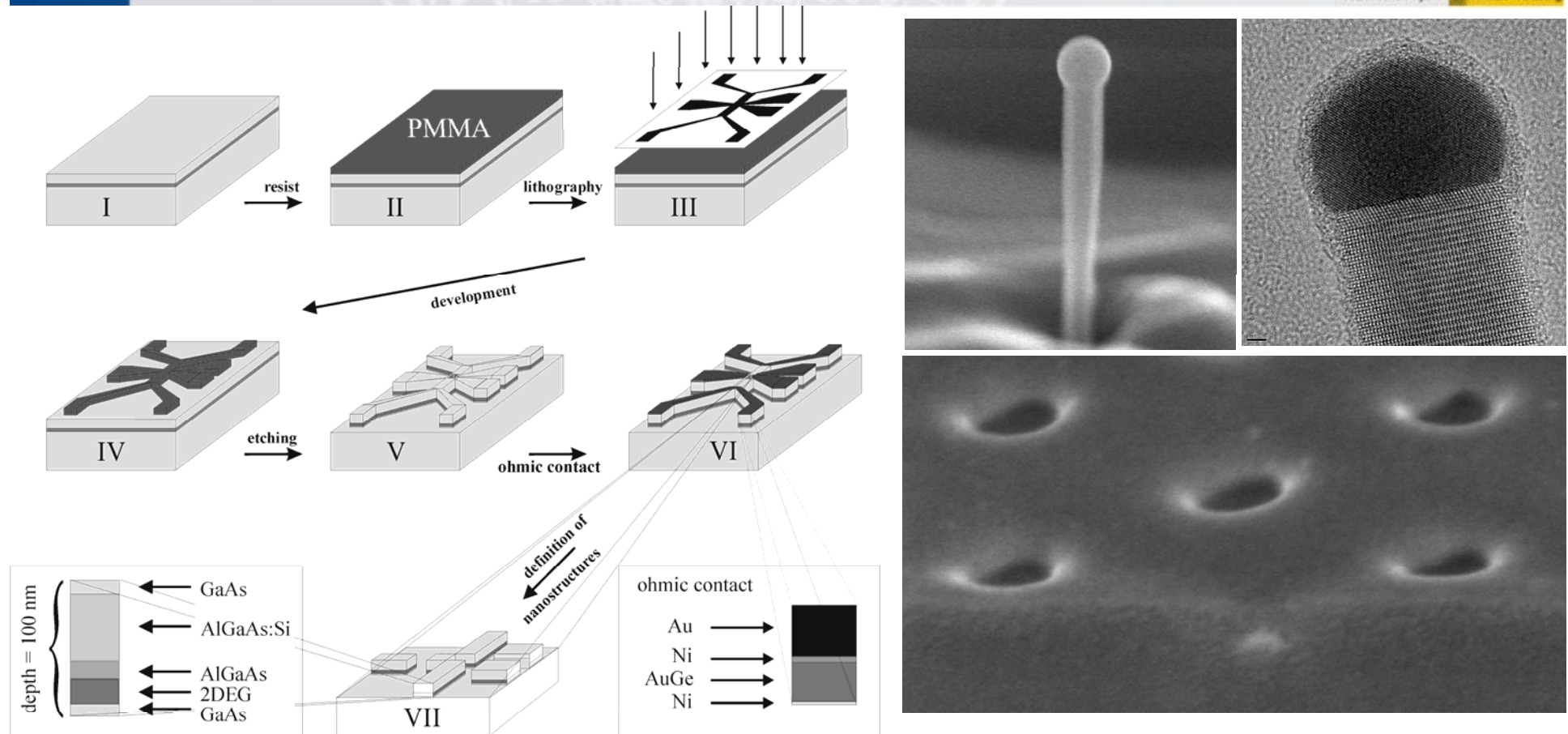
$$\eta(\Delta V_g - V_T) = V_w = \frac{\Delta V_g - \frac{Q}{C_{gq}}}{1 + \frac{C_{wq}}{C_g} + \frac{C_{wq}}{C_{gq}}}$$



- ❑ Combination of different semiconductors with atomic precision
- ❑ Growth techniques: e.g. Molecular beam epitaxy (MBE)



- ❑ Modulation-doped GaAs/AlGaAs heterostruktur (HEMT)
- ❑ Mean free path: ~10µms @ 4,2K / 50 – 200nm @ RT



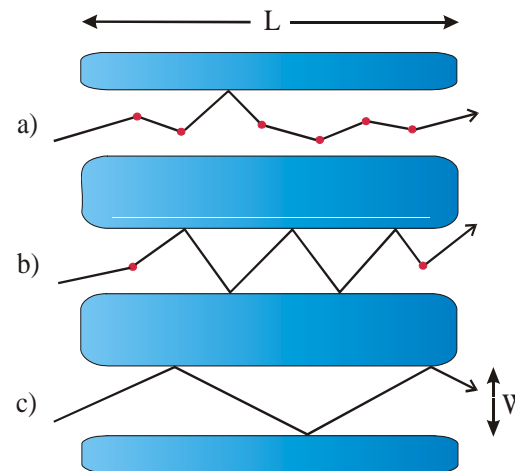
❑ Top-down route: lithography, etching,...

❑ Bottom-up route: self-assembly, seeded growth,...

❑ Different geometries: wires, dots, rings, splitters...

- De Broglie wavelength: $l_{deBroglie} = h / p$
- Fermi wavelength: $l_F = l_{deBroglie} |_{E=E_F}$
- Mean free path: $l_m = v \tau = \frac{p}{m} \tau = \frac{\hbar k}{m} \frac{e \tau}{e} = \frac{\hbar k}{e} \mu$
- Phase coherence length: $l_\phi = h / \sqrt{2mkT}$

- a) Diffusive
- b) Coherent
- c) Ballistic



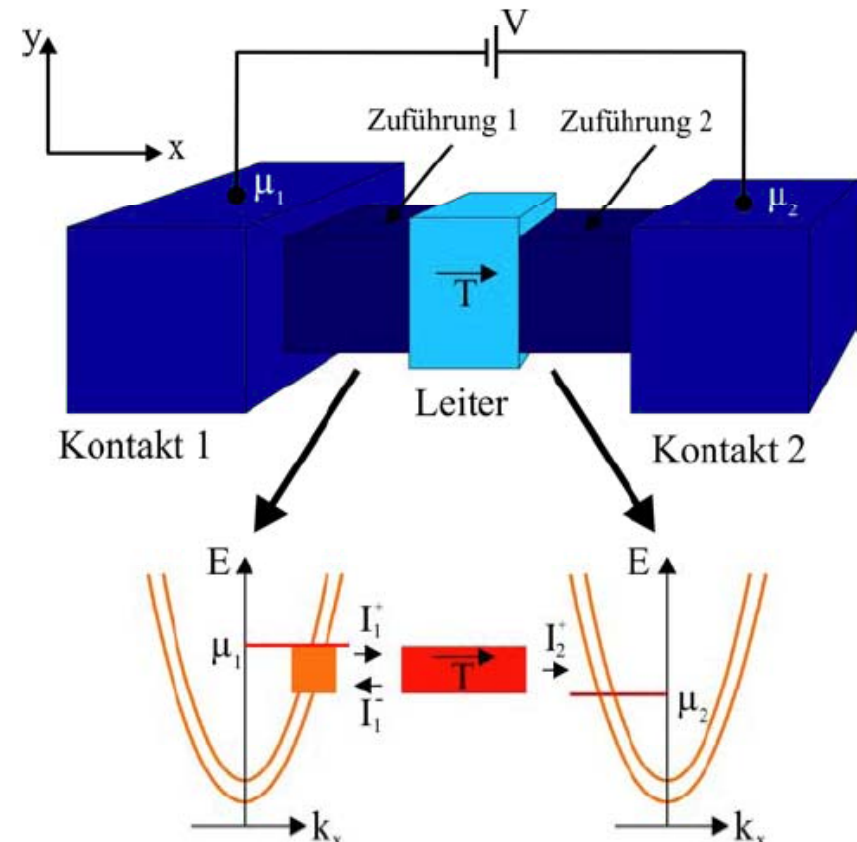
- Conductance quantization in 1D wires

$$I_{2T} = I_{L \rightarrow R} + I_{R \rightarrow L} = \frac{2e}{h} \sum_{\alpha} \int dE \underbrace{\sqrt{E}}_{\sim v} * \underbrace{1/\sqrt{E}}_{D_{1D}} * \underbrace{[f^L - f^R]}_{\sim \frac{\partial f}{\partial \mu}(eV)} * T_{\alpha}$$

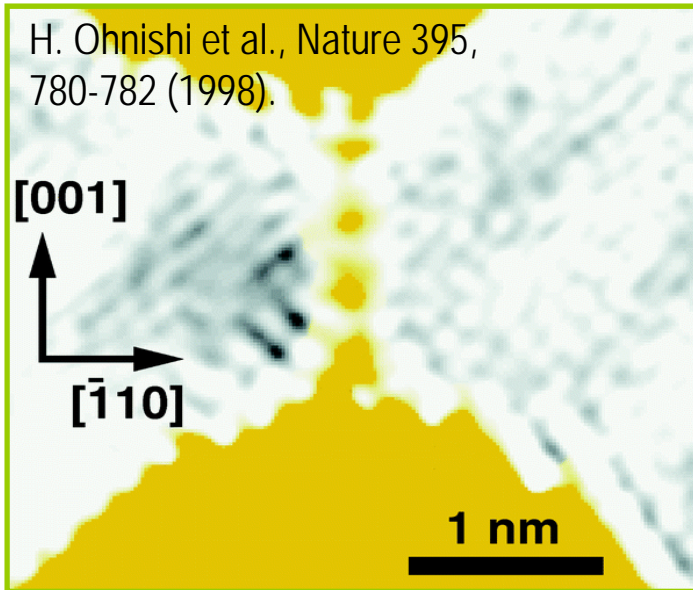
$$G = I/V = \frac{2e^2}{h} \sum_{\alpha} T_{\alpha}$$

- Multi-terminal conductor: Landauer-Büttiker formula

$$I_i = \frac{2e}{h} \left[\mu_i - \sum_j T_{ij} \mu_j \right]$$



H. Ohnishi et al., Nature 395,
780-782 (1998).



Metal:
Gold film

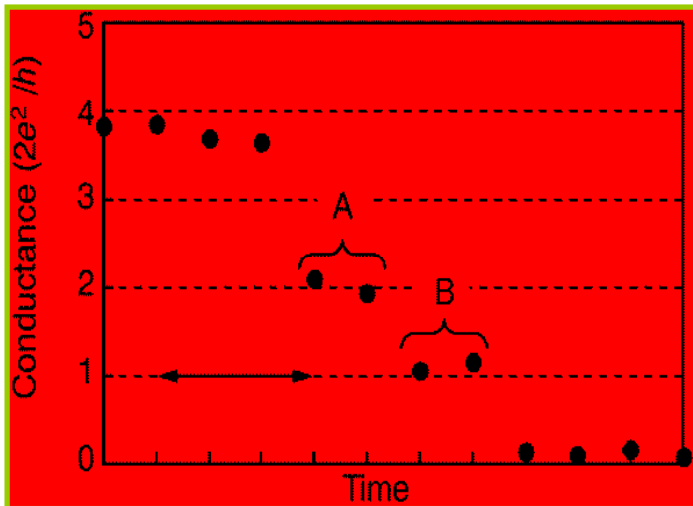
$$n = 2.3 \times 10^{15}/\text{cm}^2$$

$$l_F = 0.52 \text{ nm}, E_F = 5.5 \text{ eV}$$

$$l_m \sim 1-10 \text{ nm}$$

$$l_\phi \sim 1-100 \mu\text{m}$$

Semiconductor:
2 dimensional electron gas (2DEG)



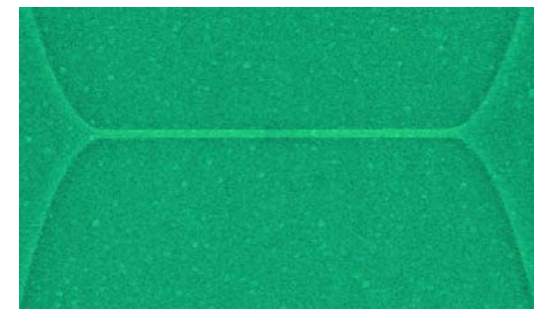
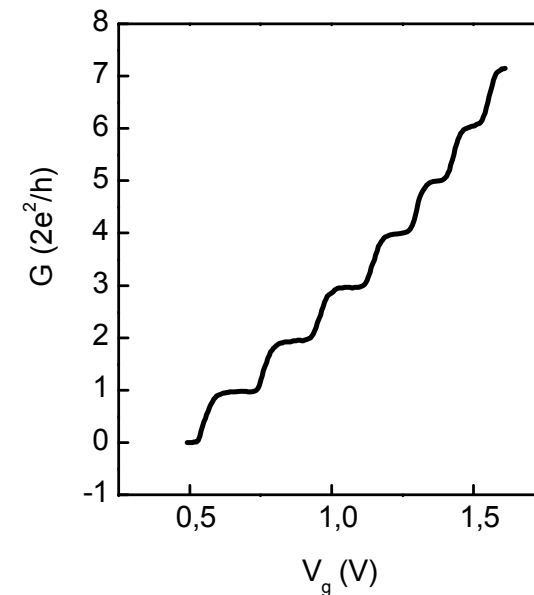
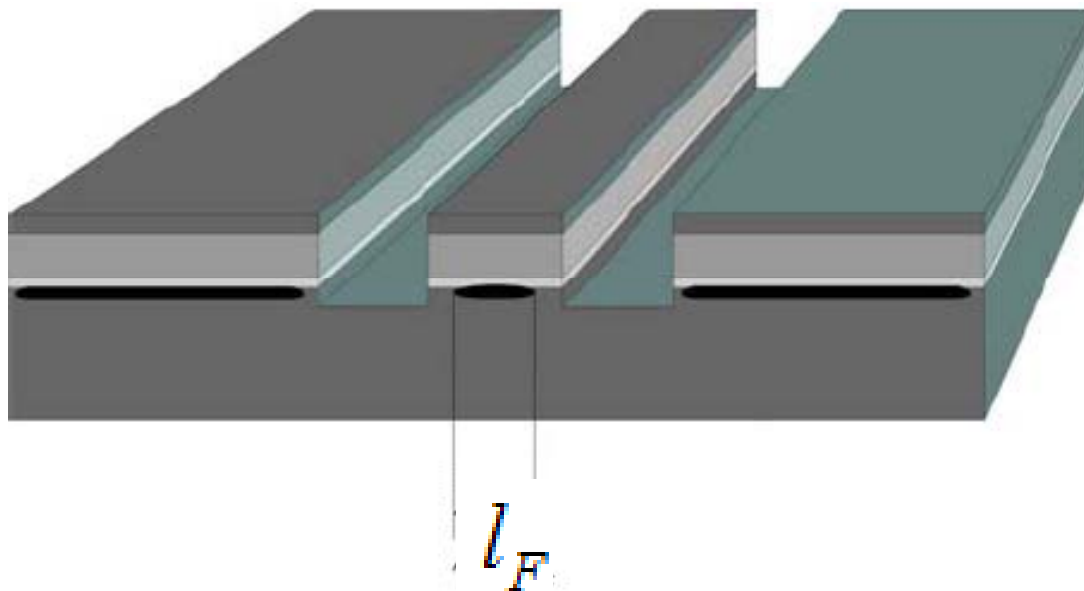
$$n = 3.0 \times 10^{11}/\text{cm}^2$$

$$l_F = 46 \text{ nm}, E_F = 11 \text{ meV}$$

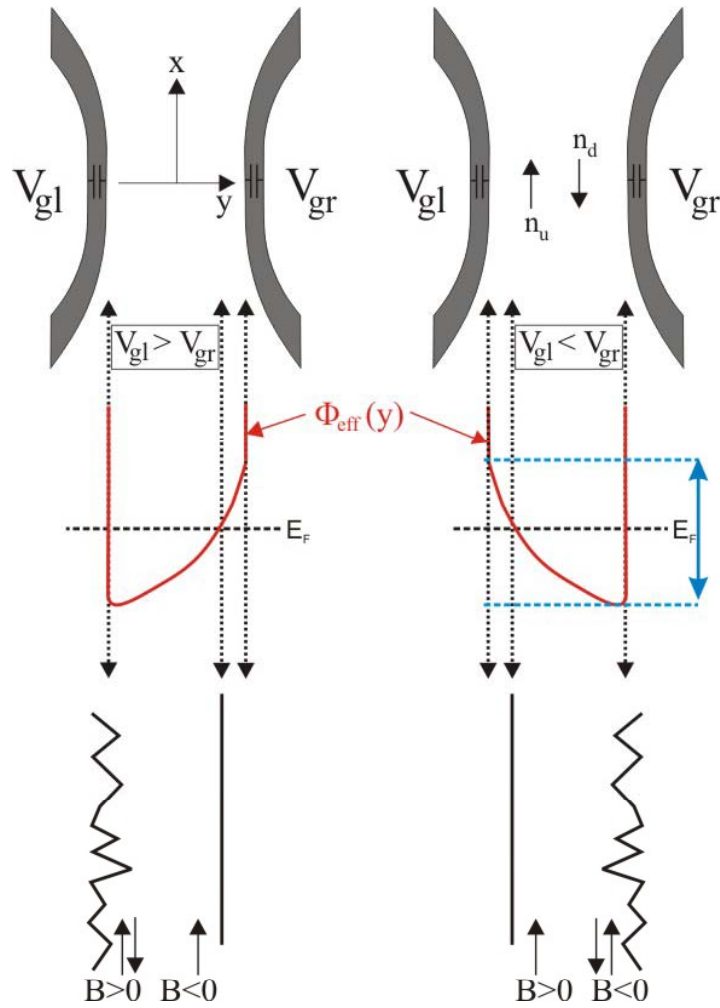
$$l_m \sim 1-100 \mu\text{m} \quad T < 4 \text{ K}$$

$$l_\phi \sim 1-100 \mu\text{m}$$

- Electron wave propagation: each occupied subband contributes with $2e^2/h$ to the conductance → conductance quantization

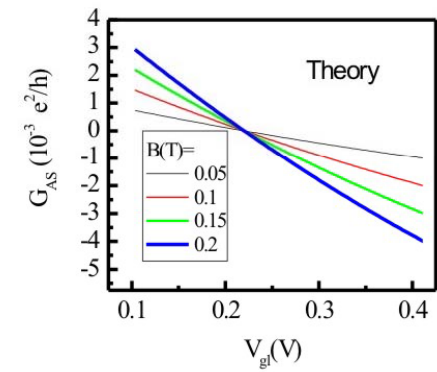
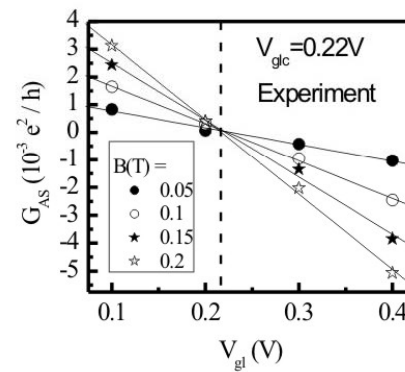


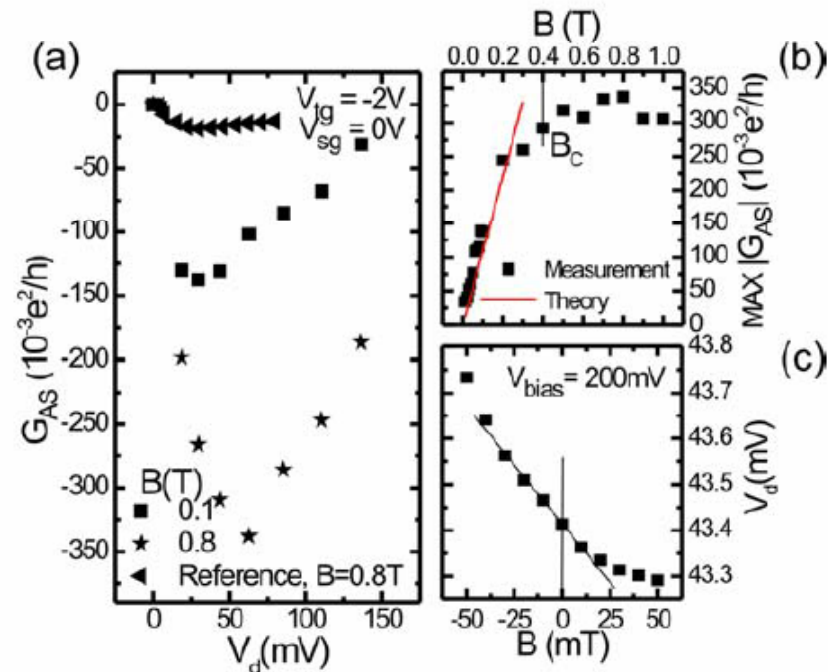
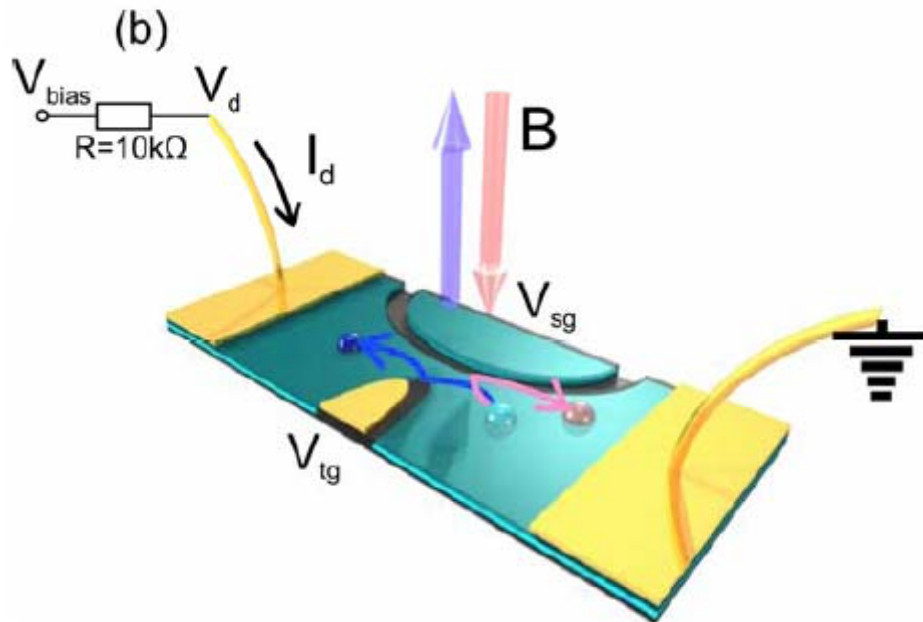
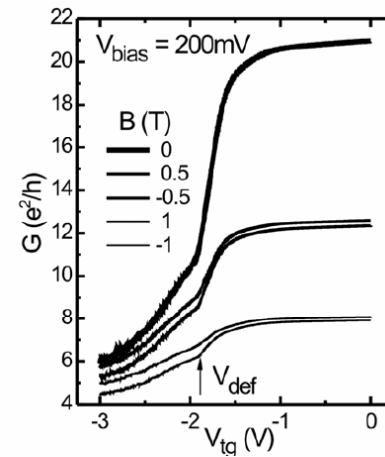
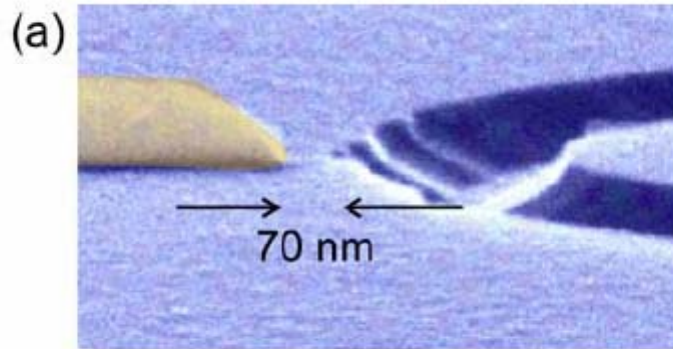
- Nanoelectronic semiconductor electronic devices
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$$-e\eta_g(V_{gl}-V_{gr})$$

$$G_{AS} = (1/2)(G^{(2)}(B) - G^{(2)}(-B))$$





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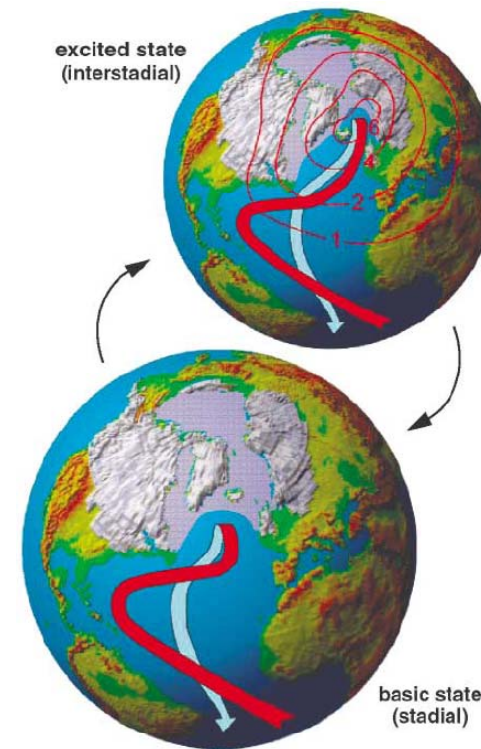
- **SR: weak signals can be amplified by fluctuations**
- **SR conditions**
 - non-linear system (threshold)
 - Subthreshold signal
 - noise
- **SR was introduced as model for explanation of the periodic occurrence of ice ages: Benzi, Parisi, Sutera, Vulpiani**

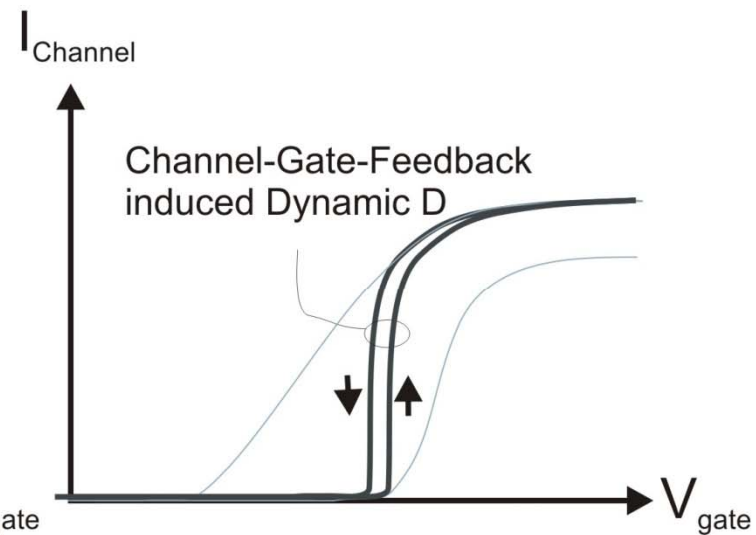
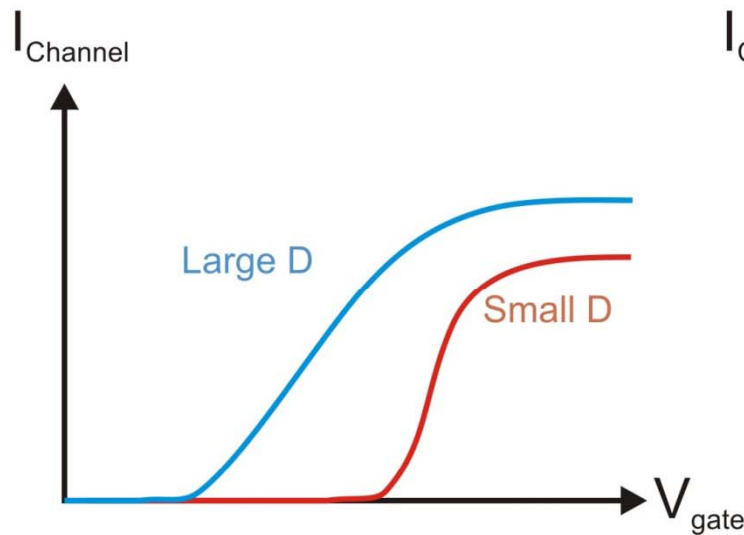
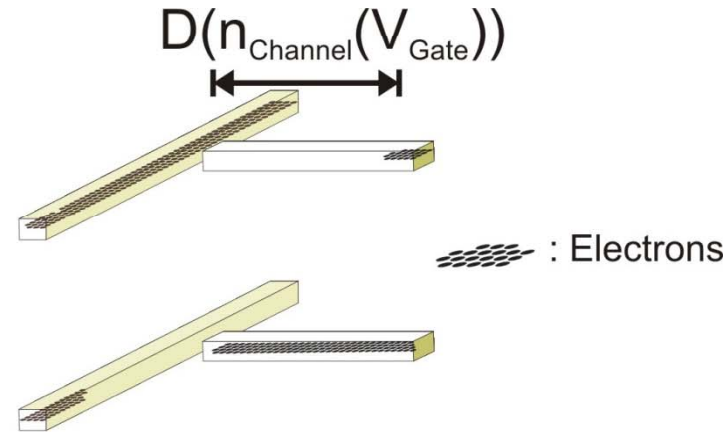
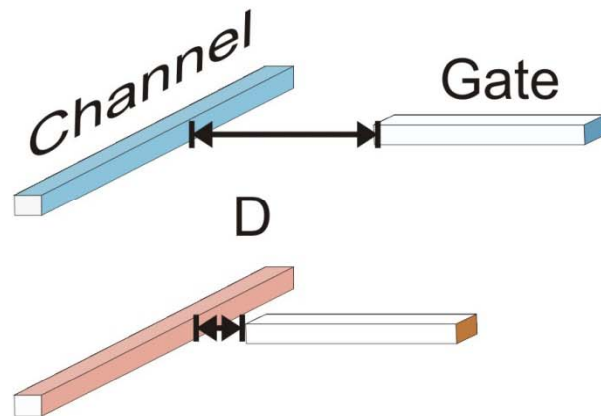
Abrupt Glacial Climate Changes due to Stochastic Resonance

Andrey Ganopolski and Stefan Rahmstorf*

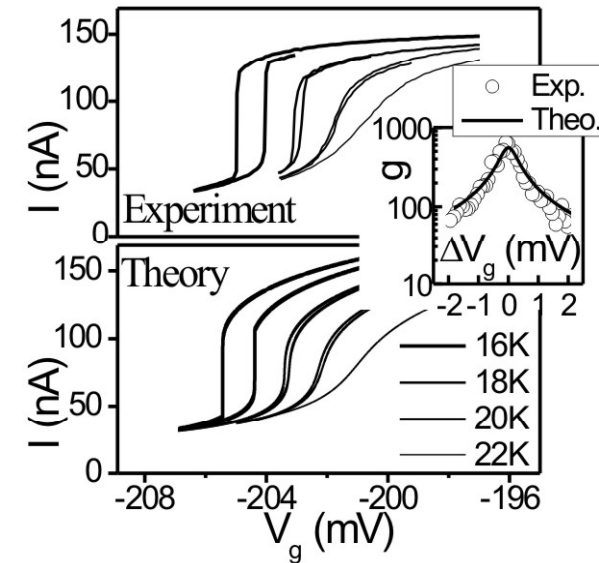
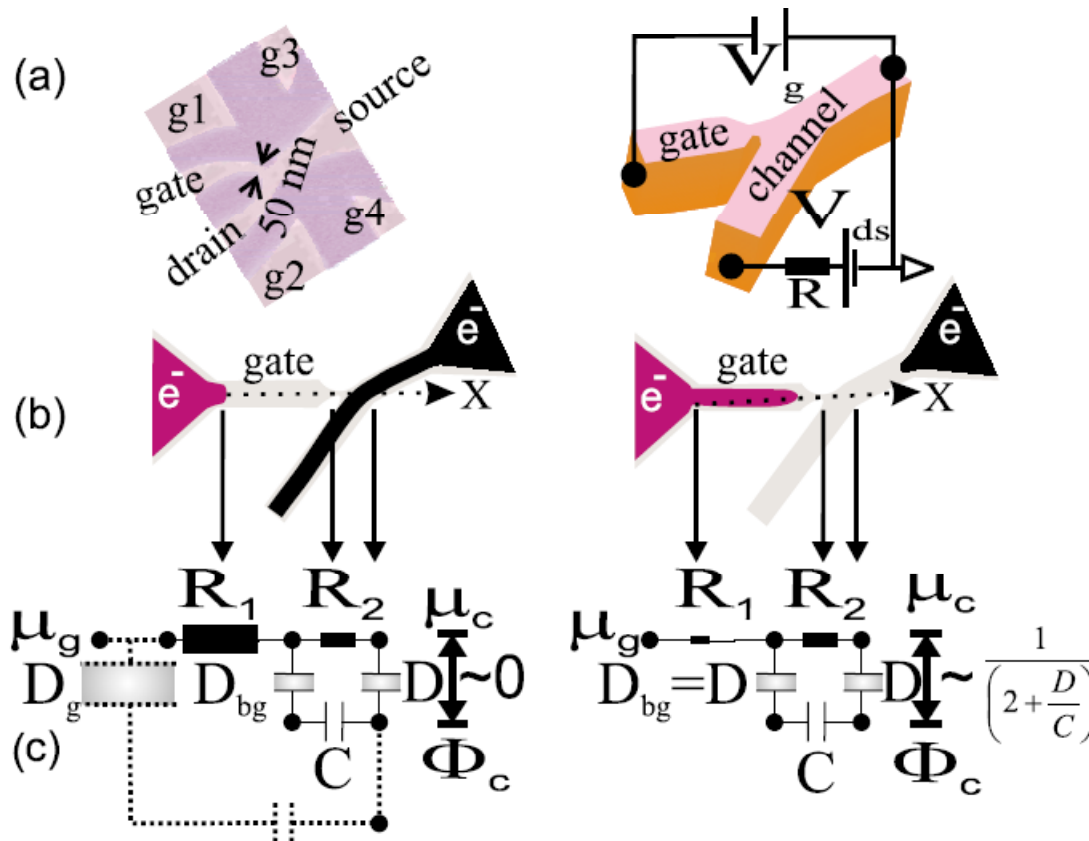
Potsdam Institute for Climate Impact Research, Box 601203, 14412 Potsdam, Germany

(Received 5 July 2001; published 4 January 2002)



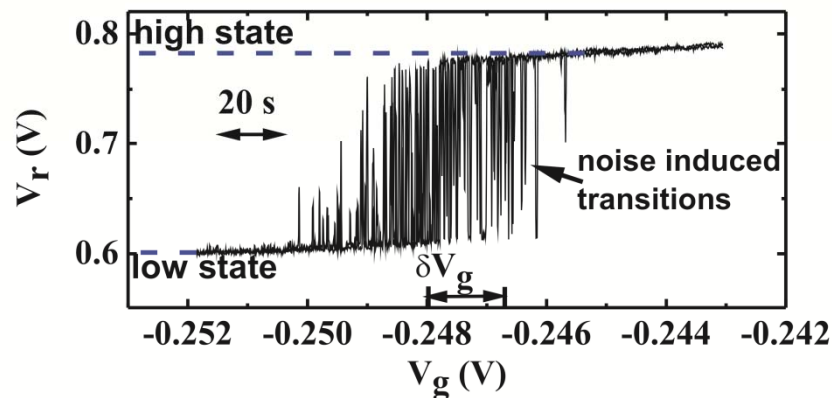
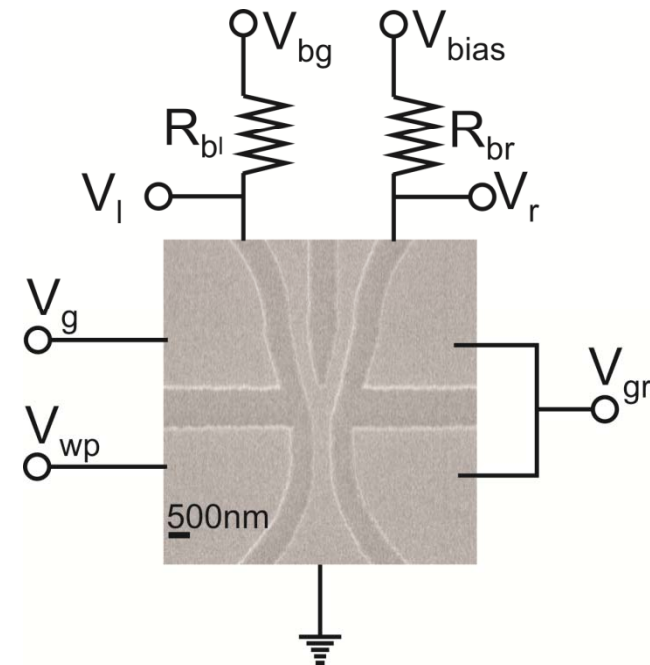


Bistable selfswitching: γ depends on the bias voltage



□ YBS as amplifier and rectifier \rightarrow logic operation

- self-gating leads to a bistable transfer characteristic
- the input and the working point voltages were set to bistable switching controlled by noise
- all measurements @ 20K

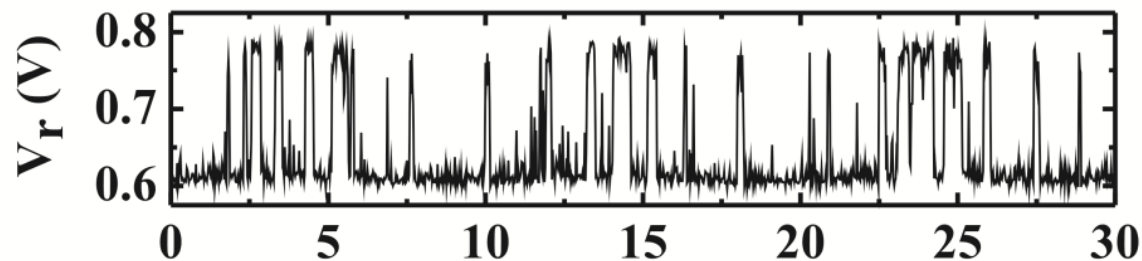


Input signal:

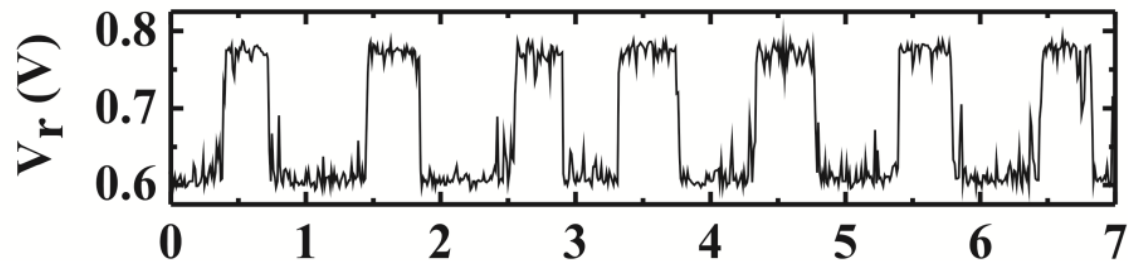
$$V_g(t) = V_{g,0} + \delta V_g \cdot \sin(\omega t)$$

Weak periodic signal:

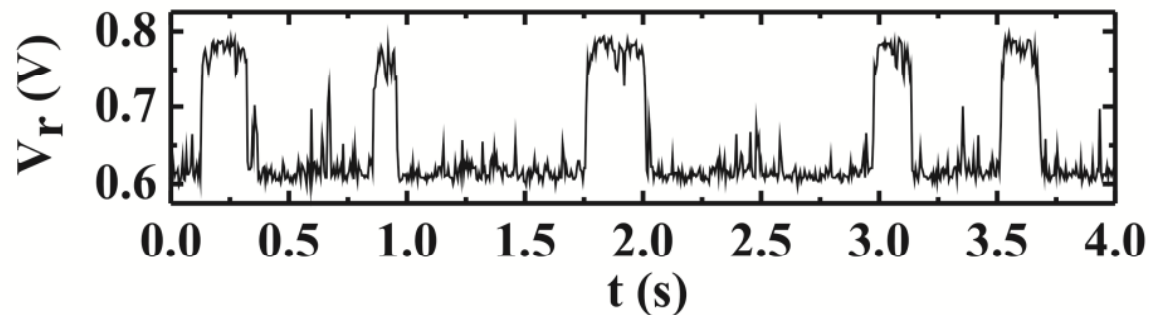
$$\delta V_g = 1.3 \text{ mV}$$



$f = 0.1$ Hz



$f = 1$ Hz



$f = 1.8$ Hz

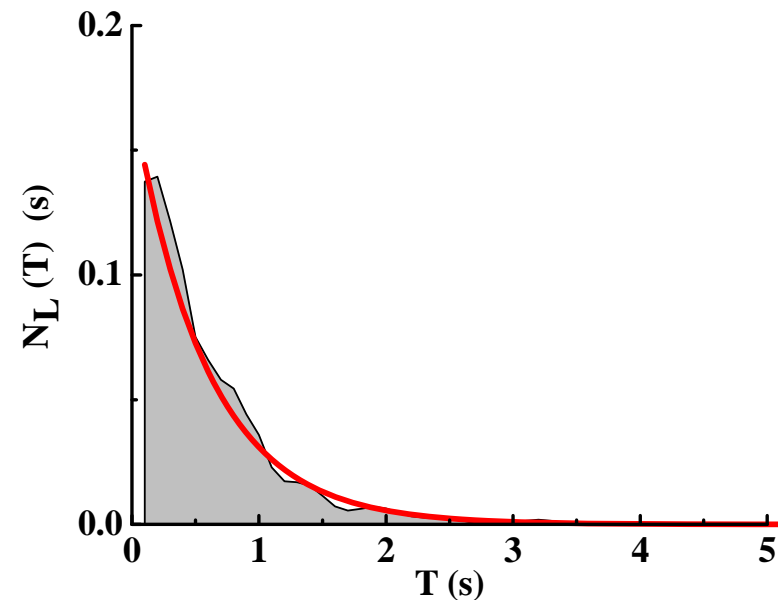
At $f = 1$ Hz the noise dynamics follow directly the frequency of the external input forcing and a maximum synchronization is found.

For the unmodulated system with $f = 0$ Hz the residence time distribution decays exponentially with the inverse of the Kramer's rate

$$N_{L,H}(T) \propto \exp\left(-\frac{T}{T_K}\right)$$

From fitting:

$$T_K = (0.502 \pm 0.044)s$$

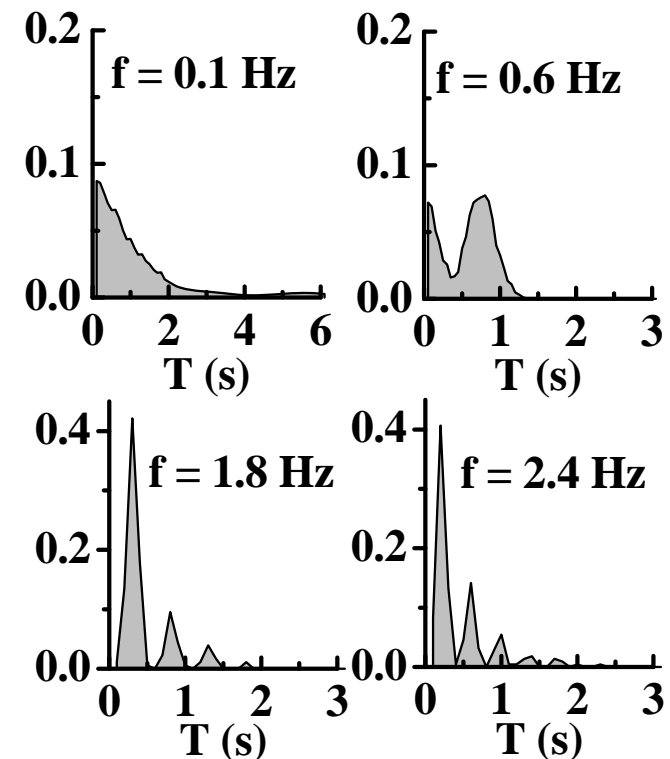


Time matching condition of SR: $T_\omega = 2T_K$

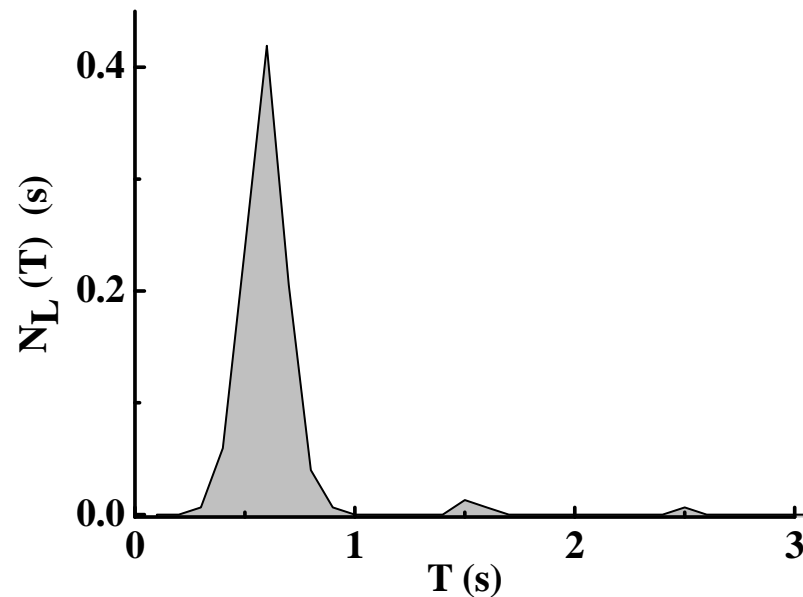
- For $f < f_{SR}$ the residence time distribution is strongly controlled by the noise

- For $f > f_{SR}$ odd multiples of the periodic forcing T_ω occur:

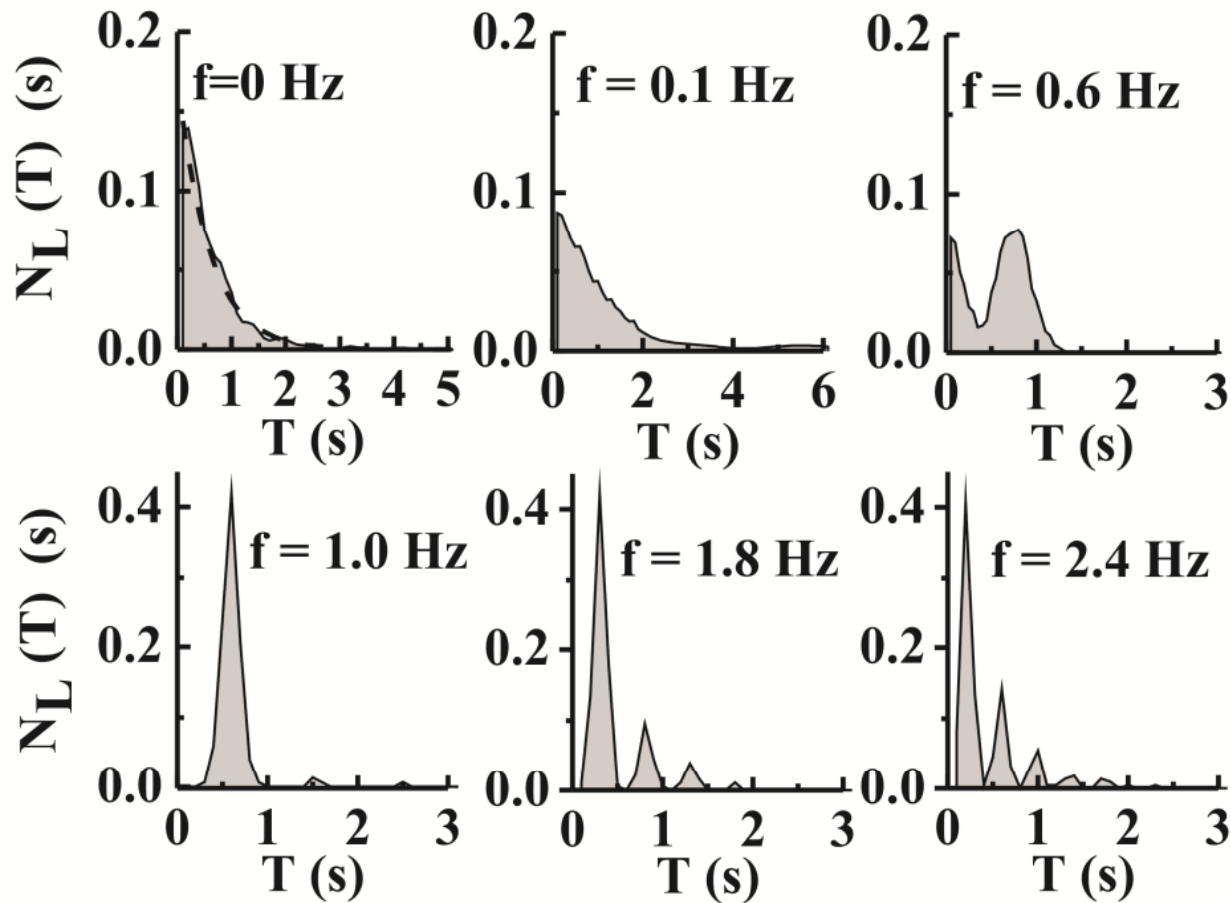
$$T_n = (2n - 1)T_\omega / 2$$



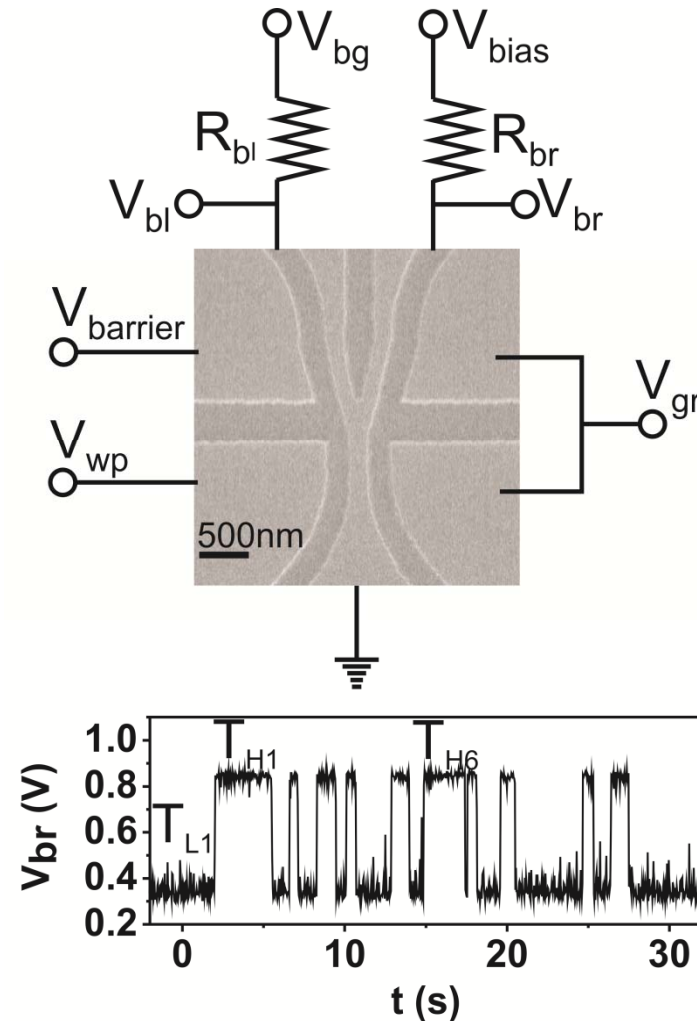
At the optimum frequency $f = 1$ Hz the residence time distribution is almost perfectly restricted to the first peak.



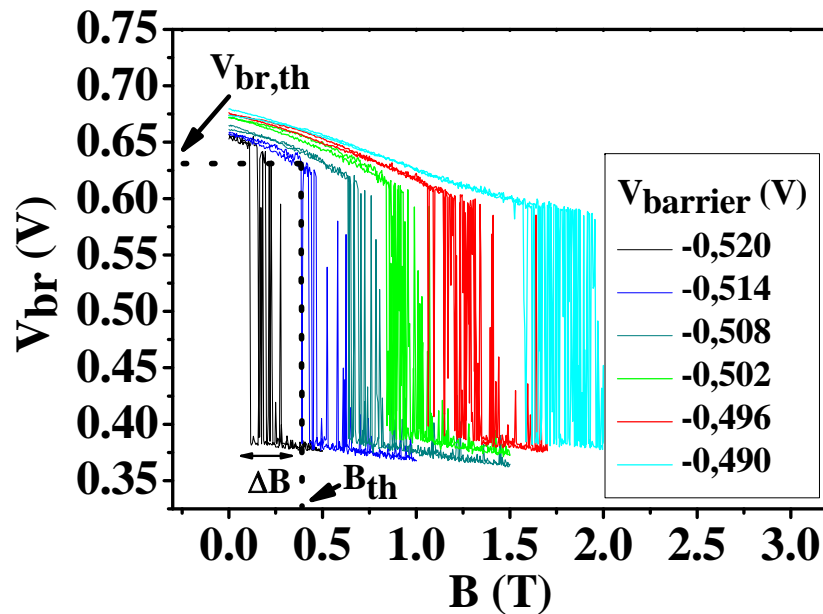
The time scale condition of SR is fulfilled by tuning solely the frequency of the periodic forcing.



- Set the detector in the strongly noise activated regime
- Magnetic field applied perpendicular to the motion of electrons either in or out of the plane

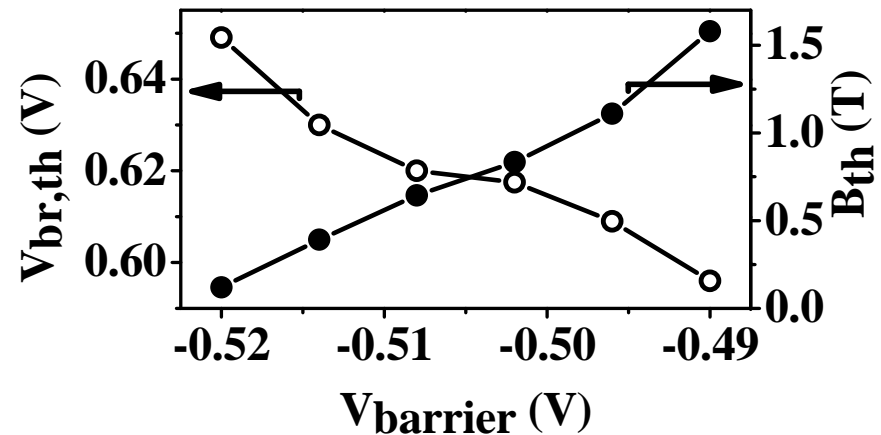


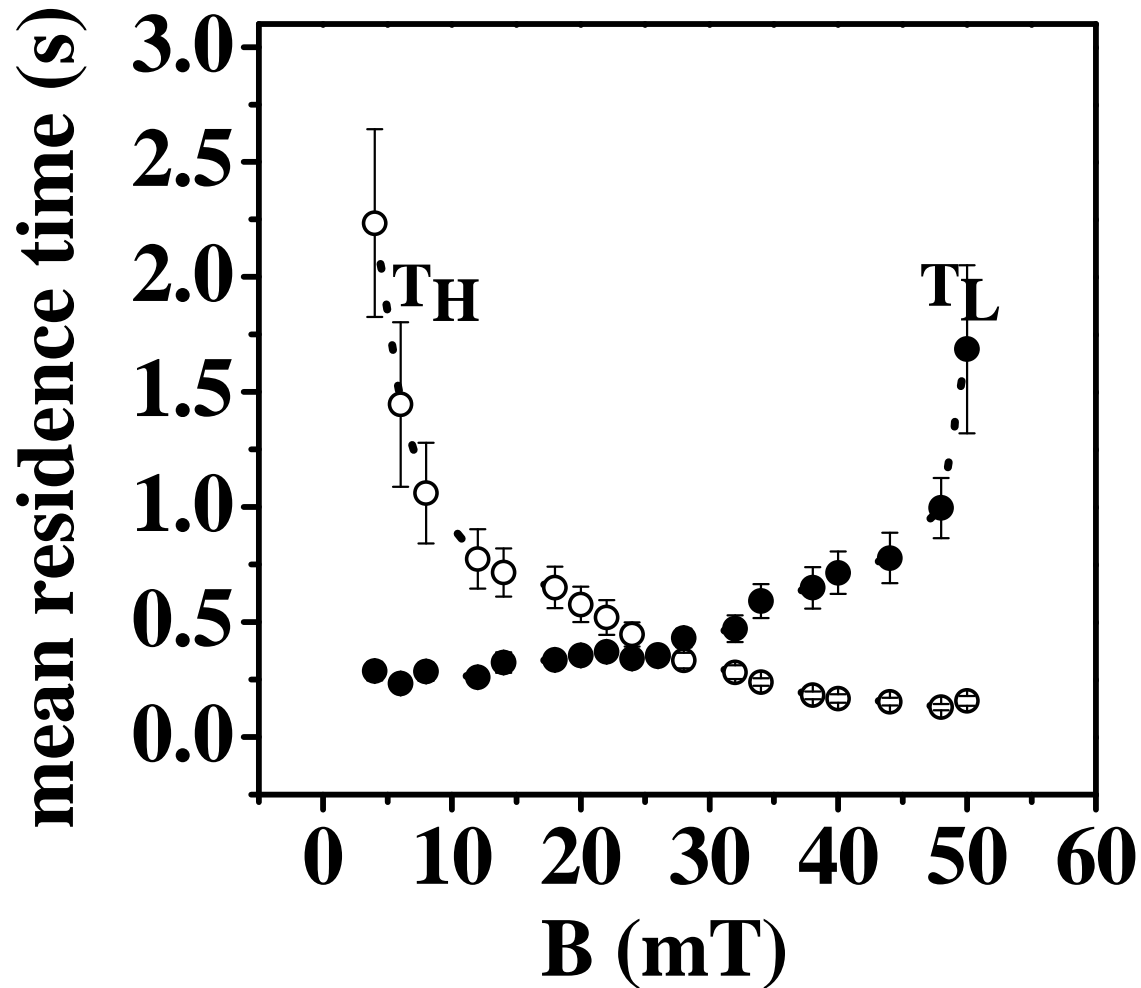
$$T_{H,L} = \frac{1}{n_{H,L}} \sum_{i=1}^{n_{H,L}} T_{H_i,L_i}$$

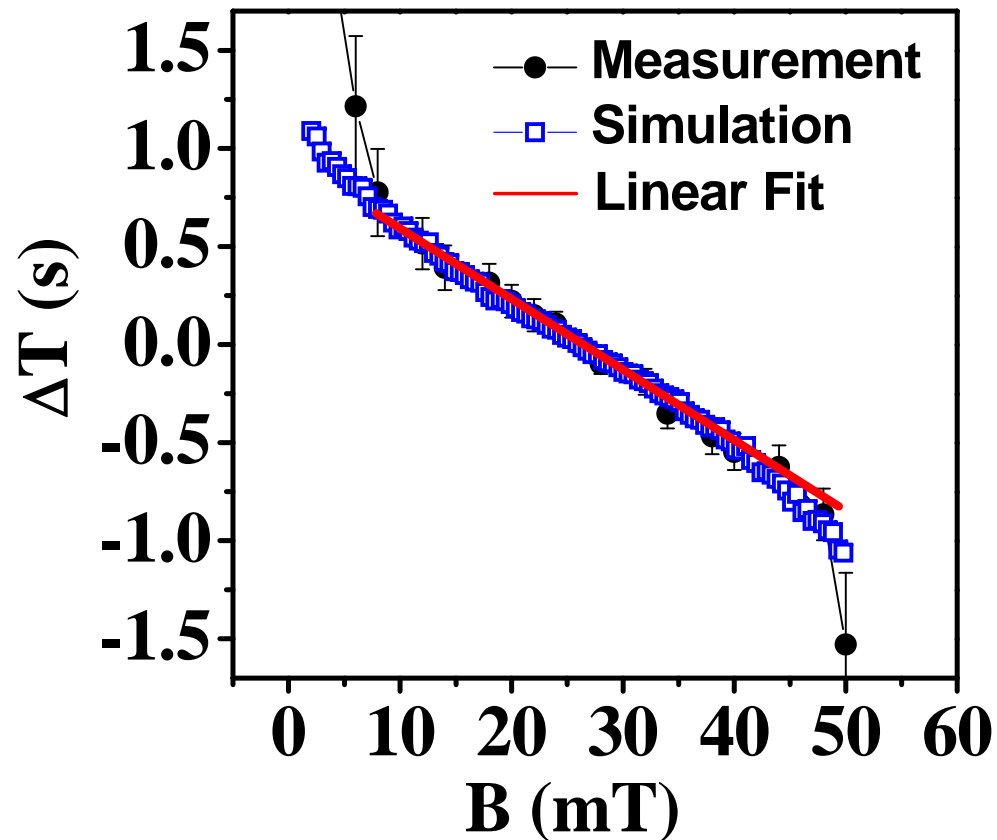


- V_{br} decreases down to a magnetic field threshold B_{th}
- Transitions between the two states occur between ΔB

The magnetic-field induced switching is associated with a scattering asymmetry at the boundaries







- Output is a linear function of B around $\Delta T = 0$ s
- Target signal independent sensitivity

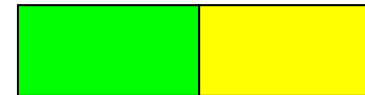
$$\Delta T(B) = T_0 - cB$$

$$S(B) = \frac{\partial \Delta T}{\partial B} = c$$

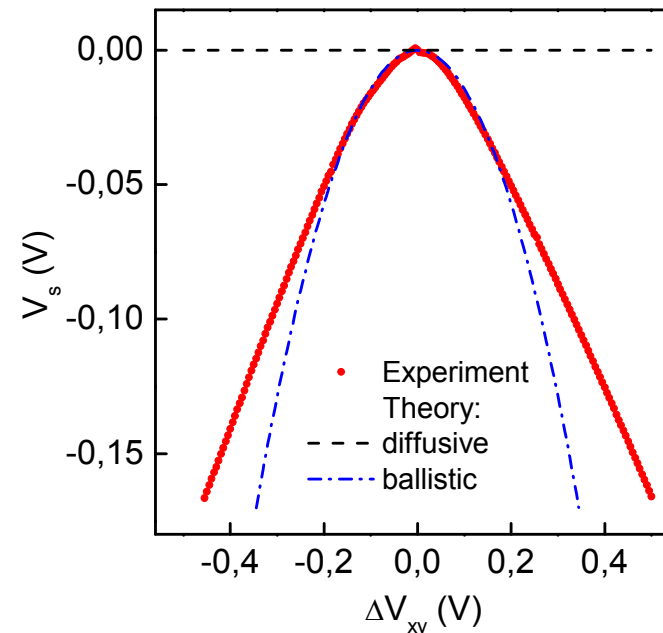
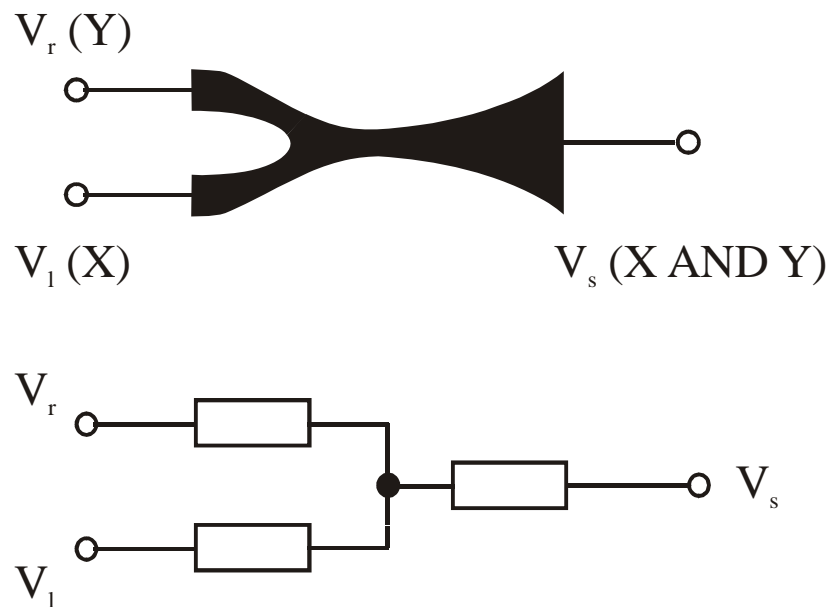
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Rectification due to junctions:

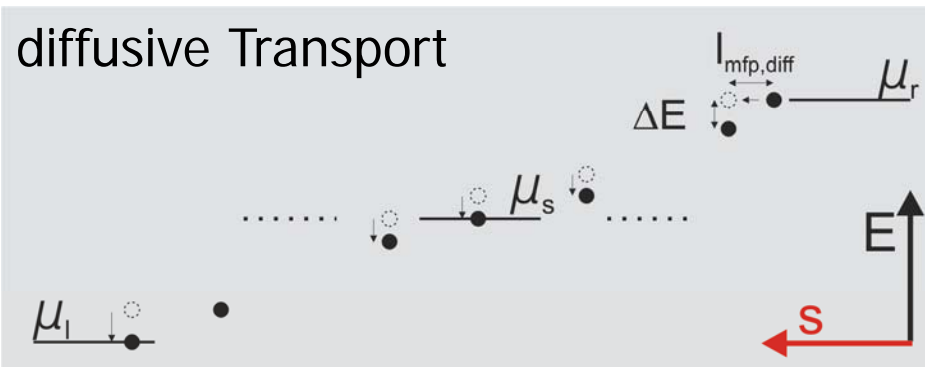
- pn-junction
- Metal-semiconductor junction



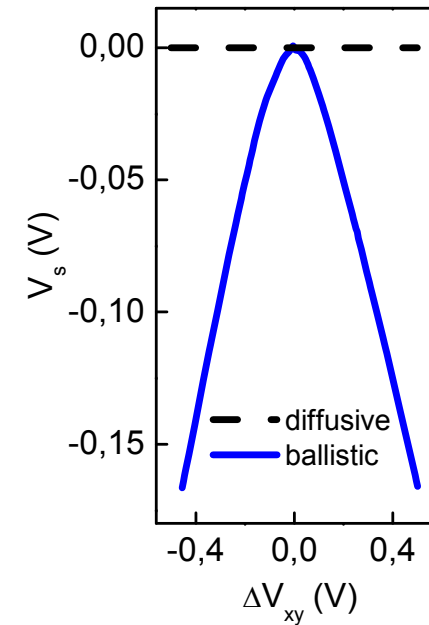
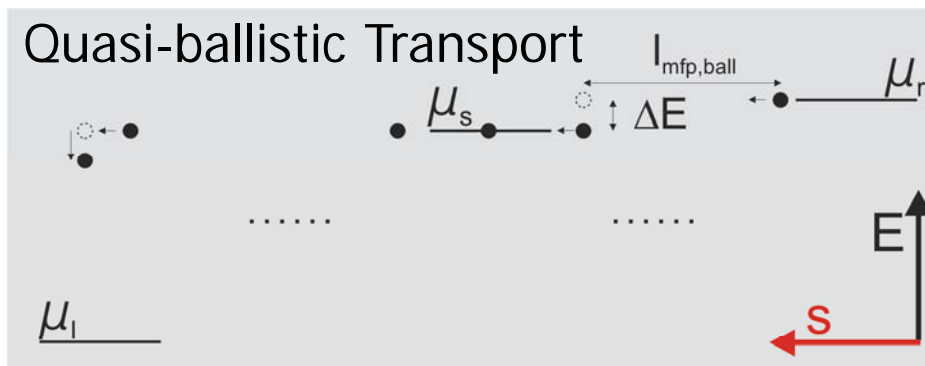
Y-branch junction: no geometrical asymmetry!



diffusive Transport



Quasi-ballistic Transport

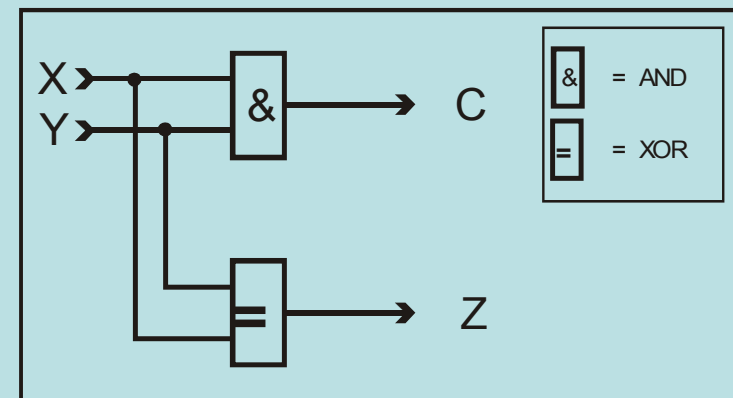


Half-Adder: binary addition with carry bit

Truth table

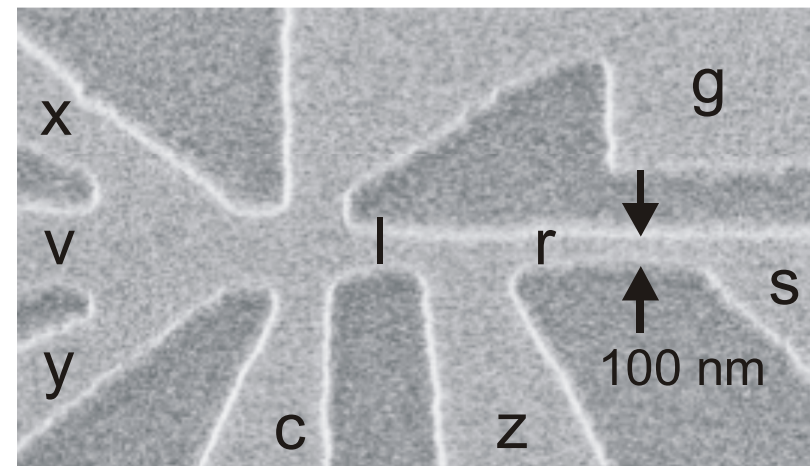
X	Y	Z	C
H	H	L	H
H	L	H	L
L	H	H	L
L	L	L	L

Scheme



> 10 FETs +
interconnects

- planar Half-Adder is based on ballistic Y-junctions
- Inputs: x and y
- Outputs: c and z
- Working point: s
- Control: v



L. Worschech et al., Appl. Phys. Lett. 83, 2462 (2003)

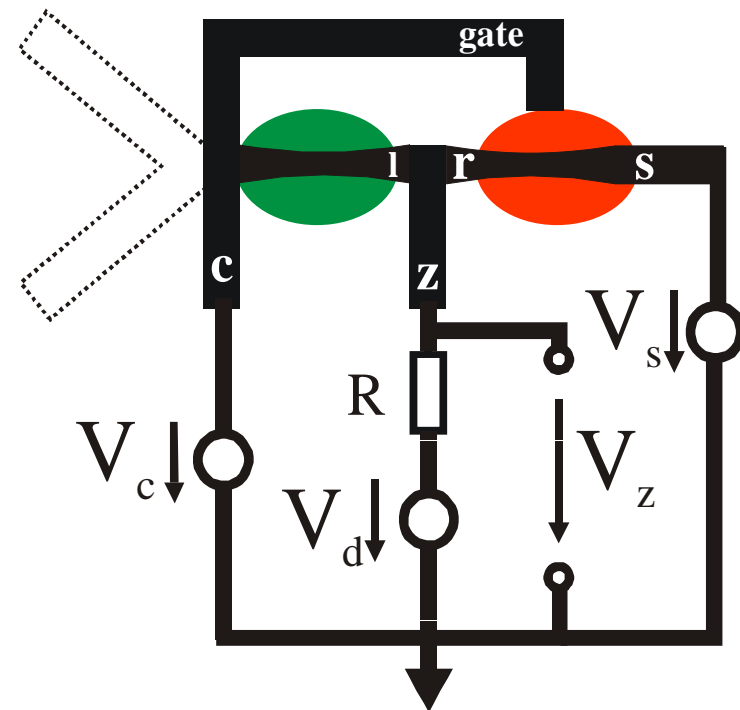
control of V_z via V_c :

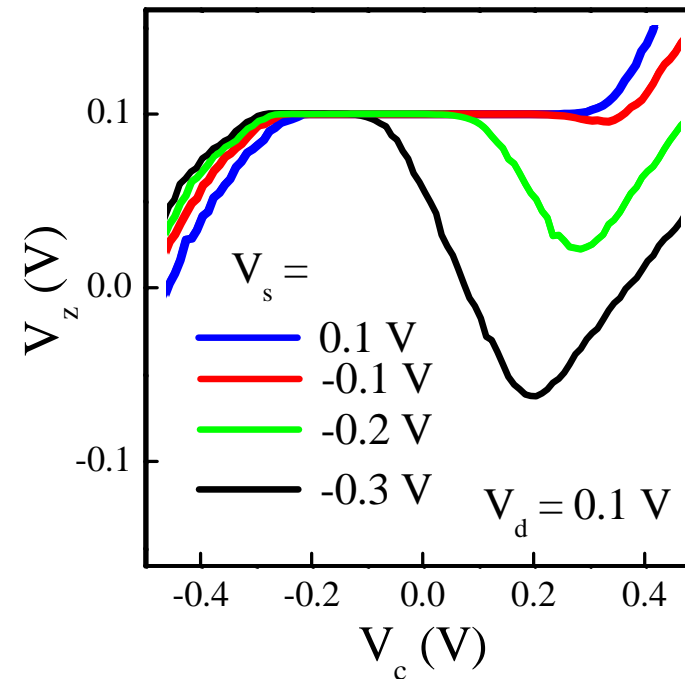
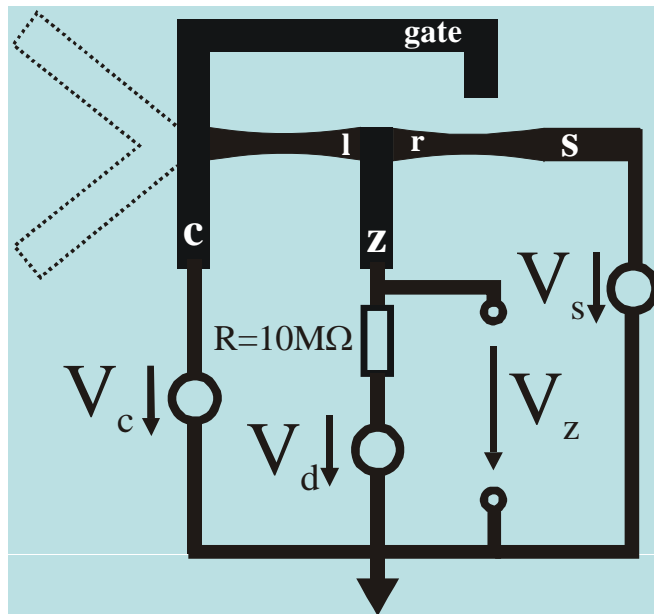
a) Injection of electrons

b) Gating

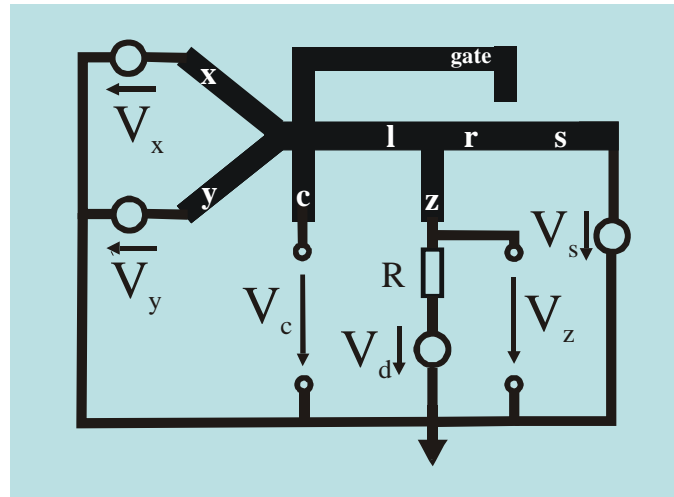
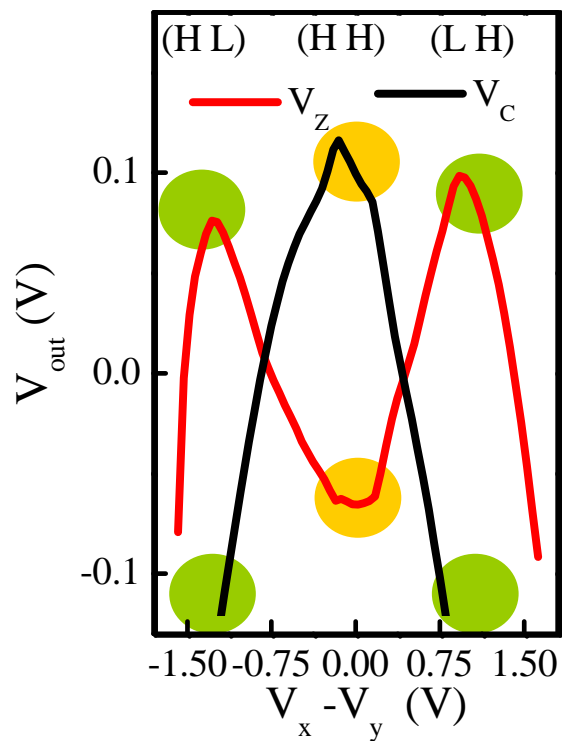
No external gate!

⇒ Self induced switching

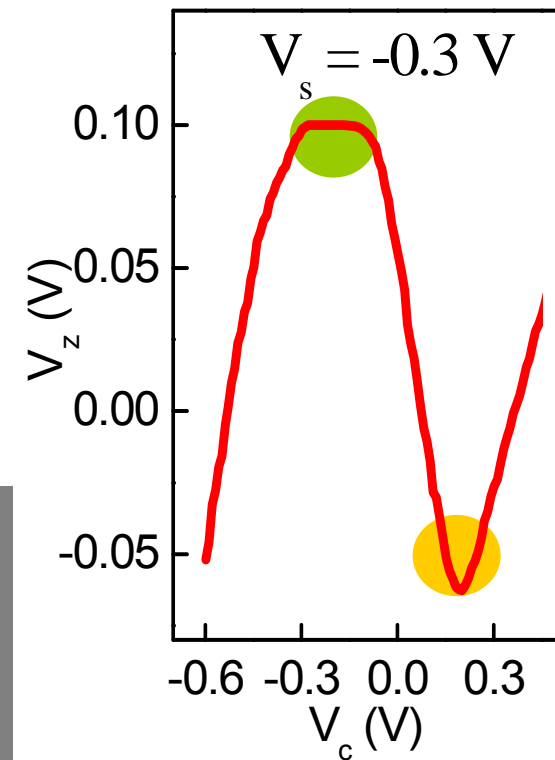




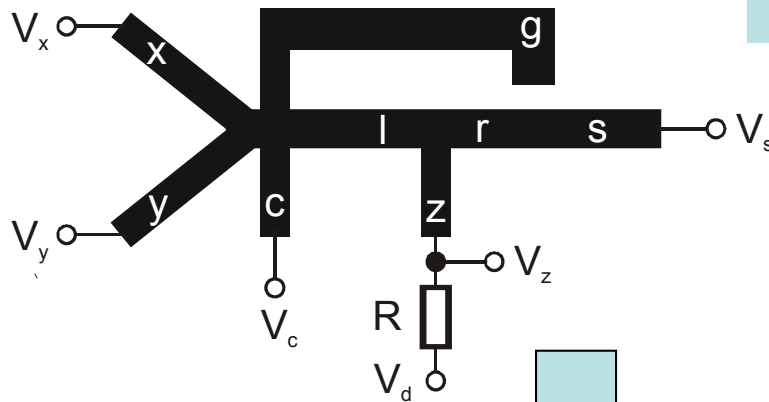
- Self switching \Rightarrow N-shaped V_z (V_c)-characteristics
- Definition of the working point via V_s



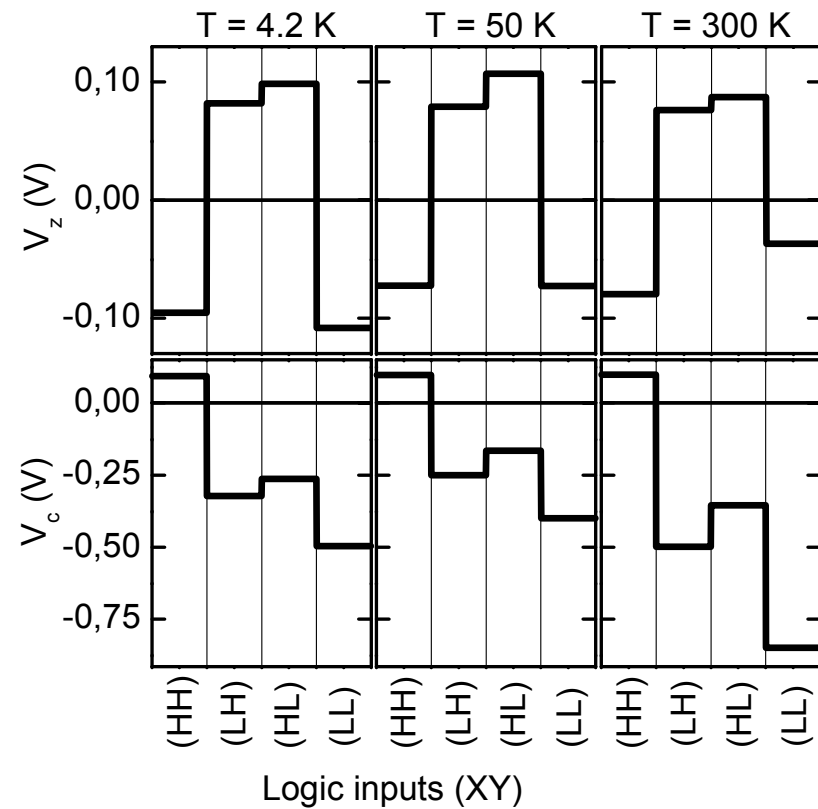
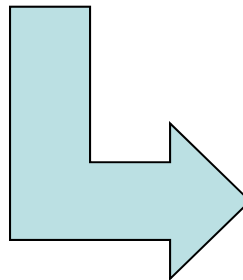
- Push-Pull-Mode:
 $V_x + V_y = 0.3$ V
- Rectification: $V_c < (V_x + V_y)/2$
- Self induced Switching:
M-shaped V_z -characteristic

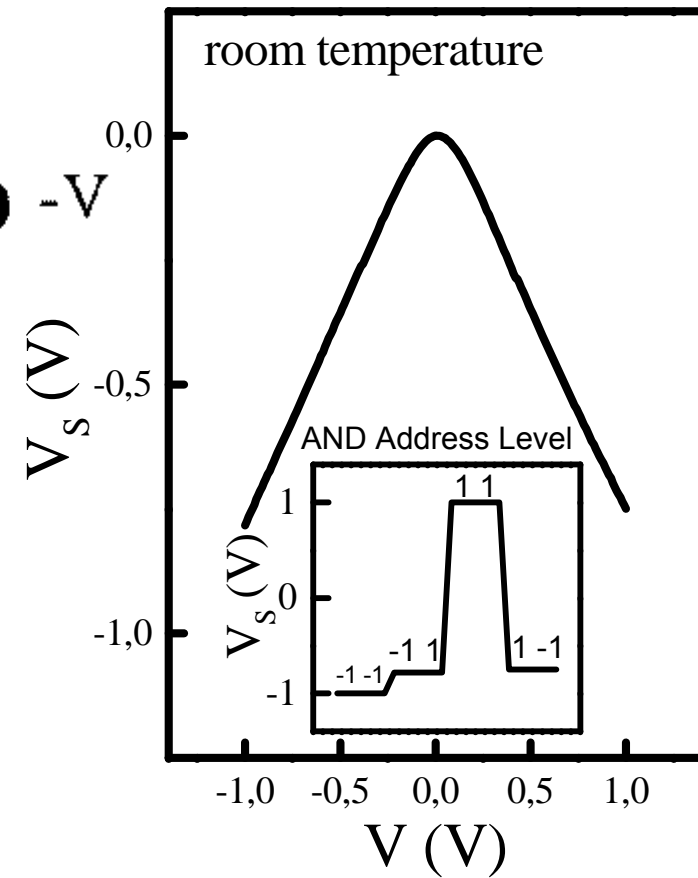
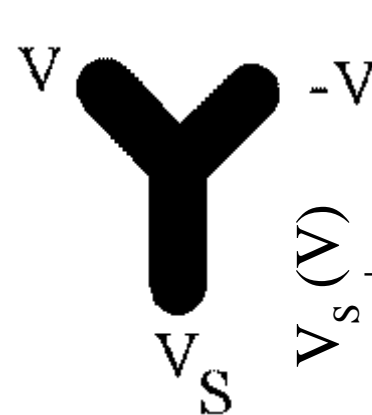
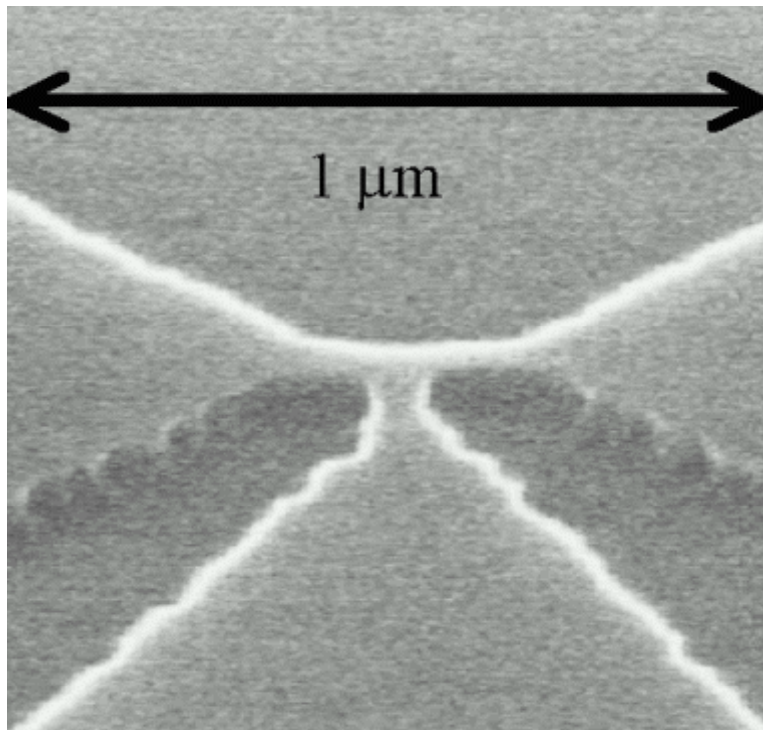


Demonstration of logic function at RT:



X	Y	Z	C
H	H	L	H
H	L	H	L
L	H	H	L
L	L	L	L





3T ballistic cavity
A. N. Jordan,
Markus Büttiker,
PRB 2009

$$c \sim \frac{1}{2} \frac{e}{\mu_F}$$

■ assuming $V_s = c V^2$

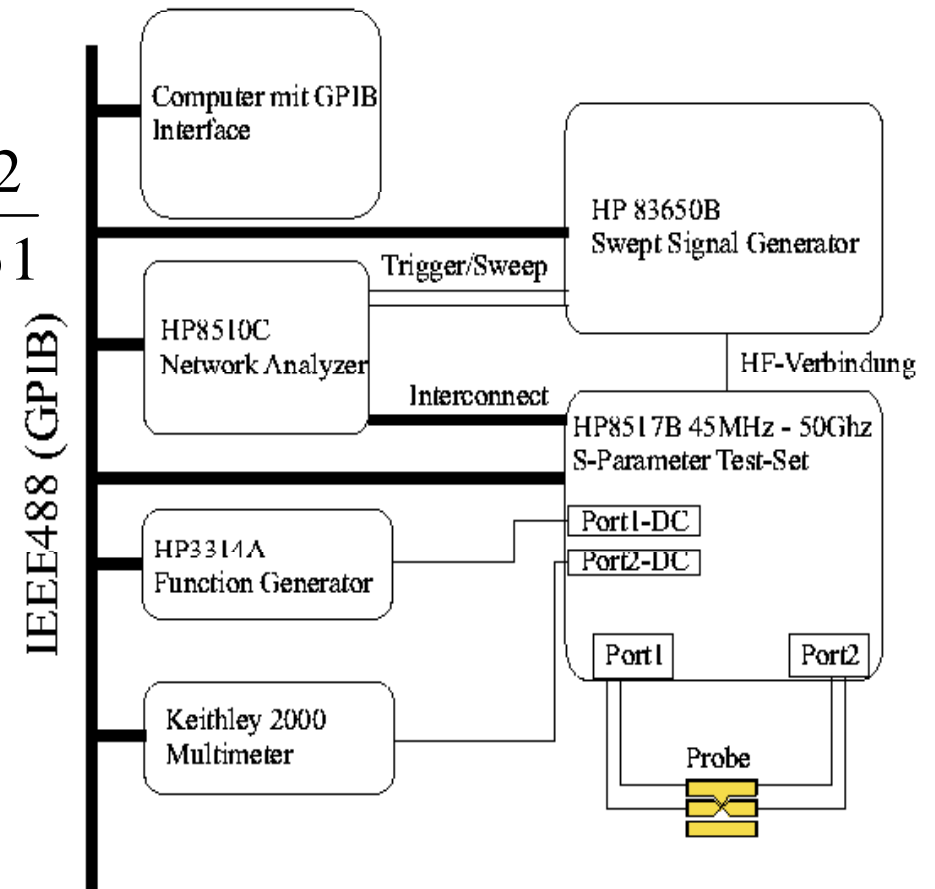
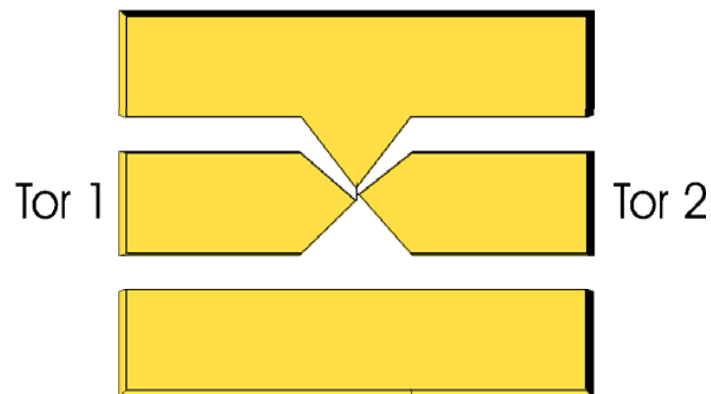
■ with $V = V_{\sim} \times \sin\left(\frac{f_1}{2\pi} t\right)$

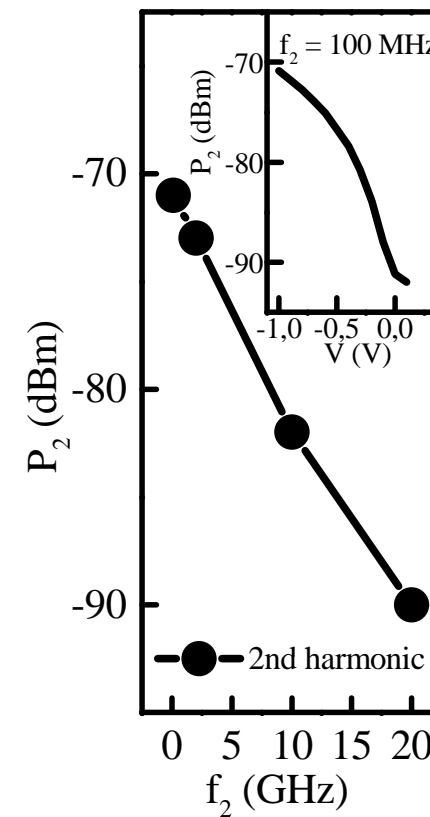
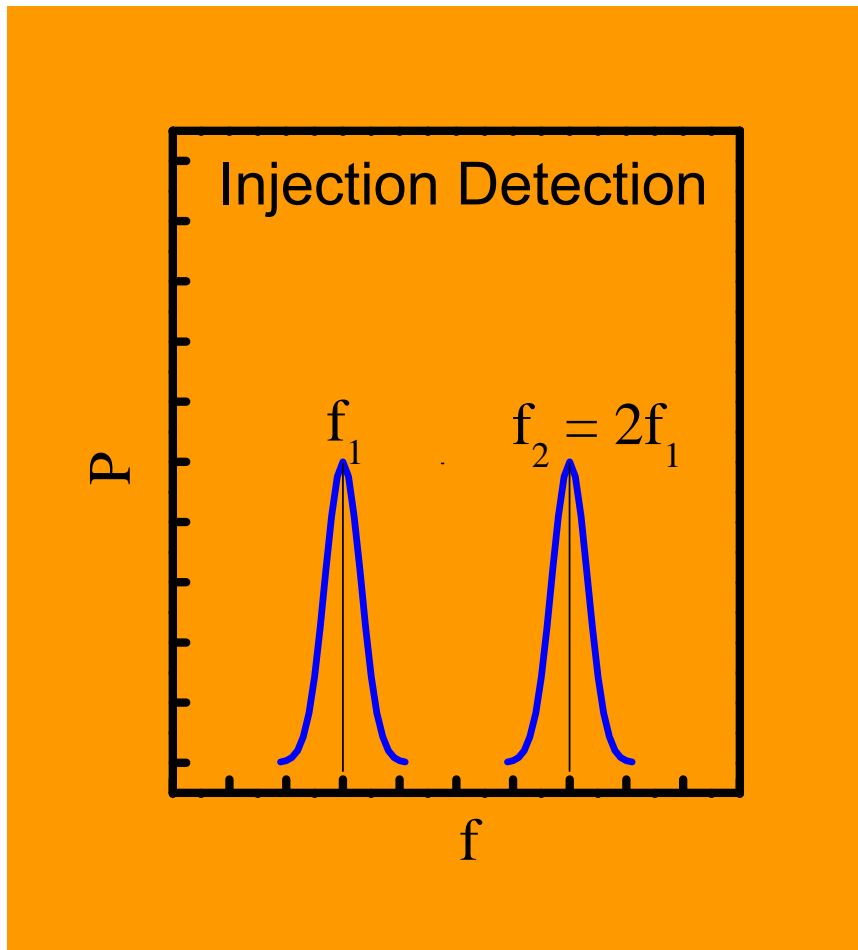
→ $V_s = \frac{c}{2} V_{\sim}^2 - \frac{c}{2} V_{\sim}^2 \times \cos\left(\frac{2 f_1}{2\pi} t\right)$

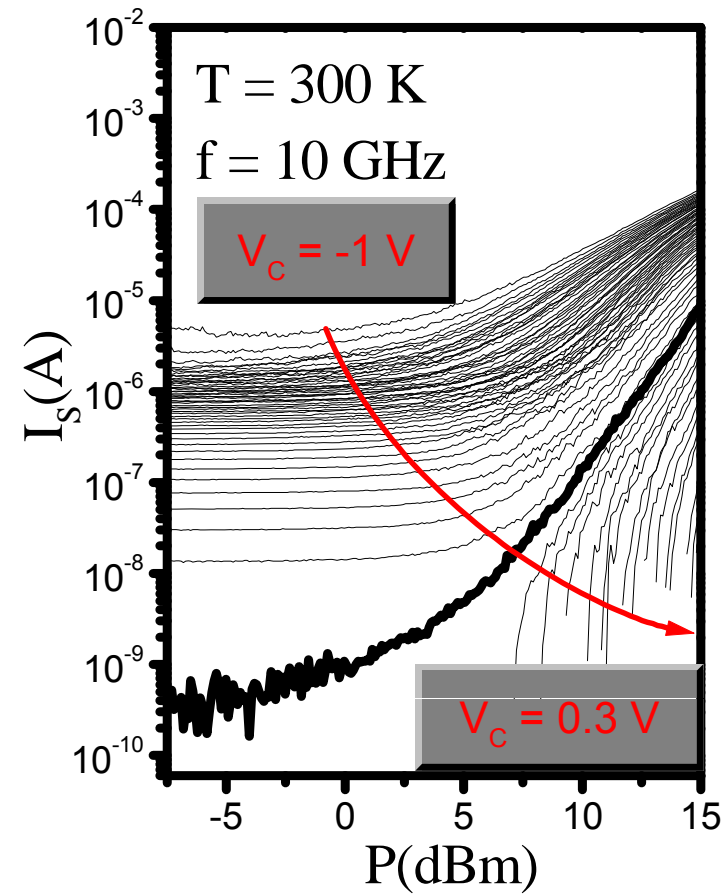
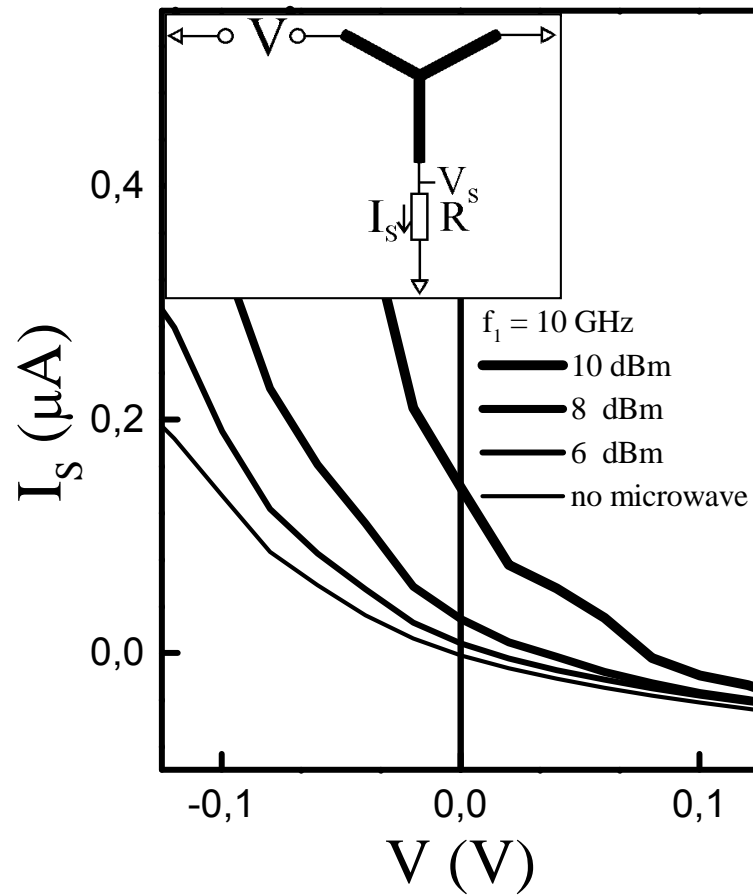
frequency doubling and dc current

- S-Parameter

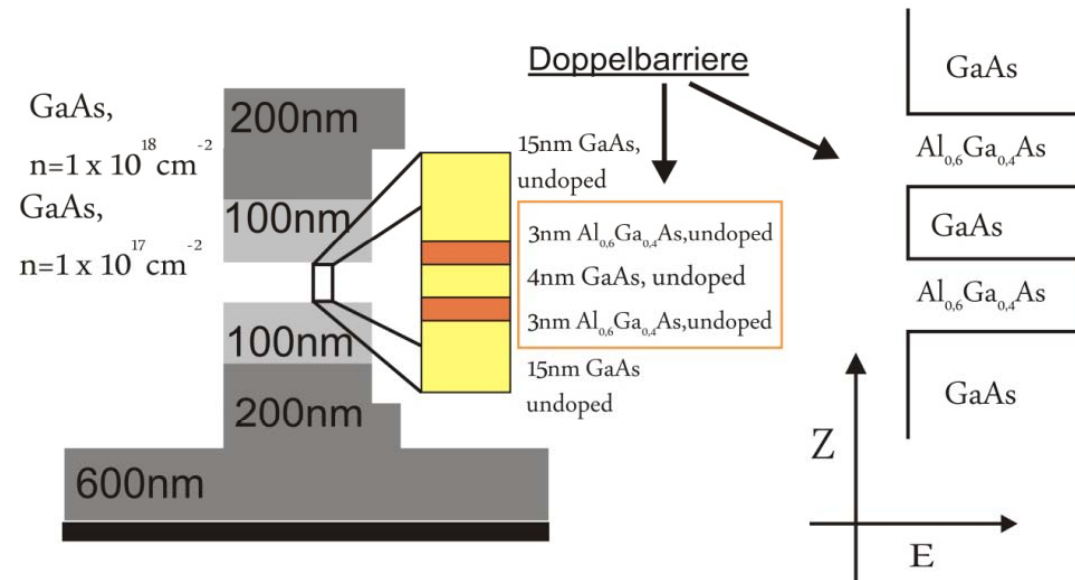
$$S_{21} = \frac{\text{microwave power detected at 2}}{\text{microwave power injected into 1}}$$



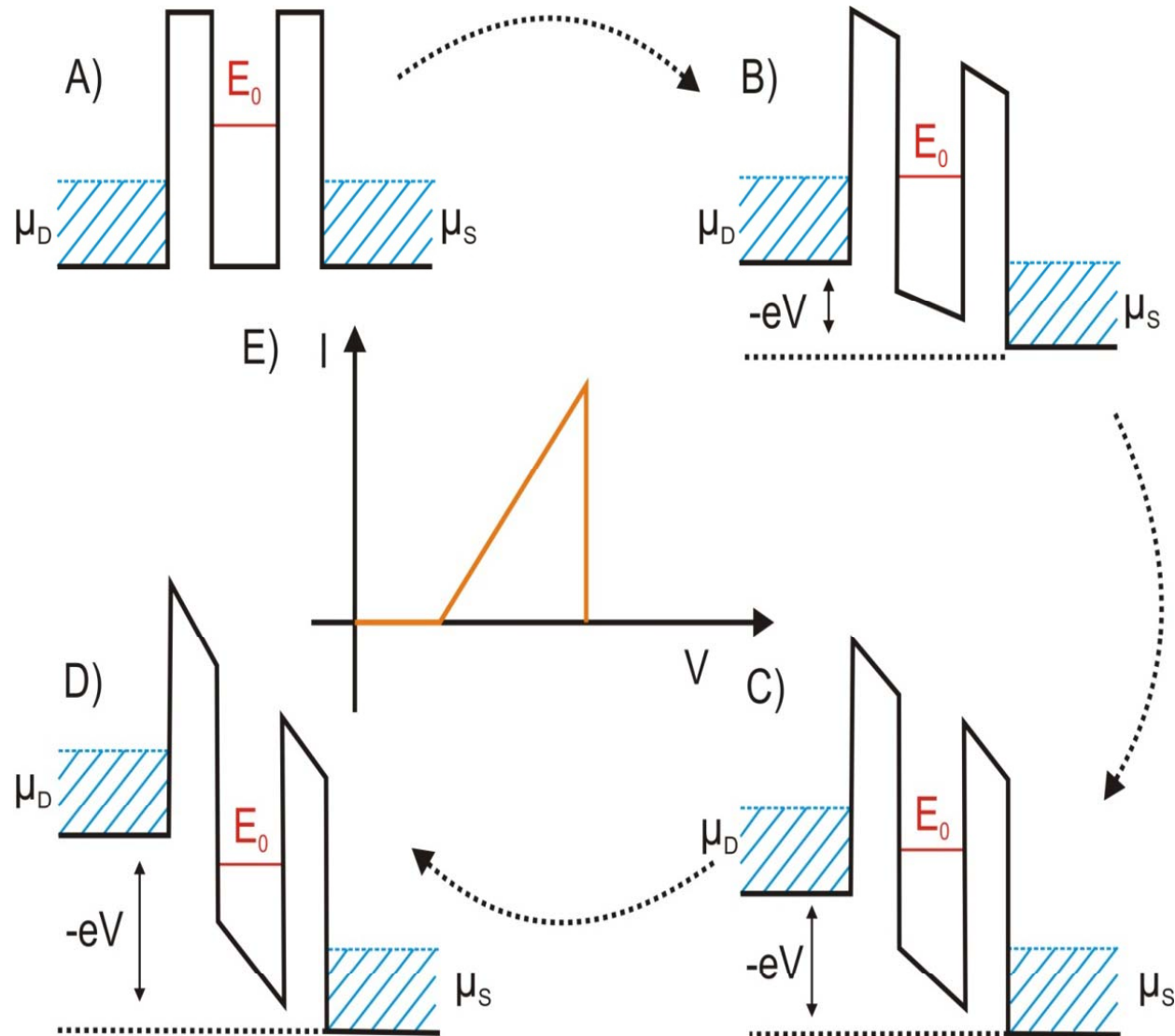


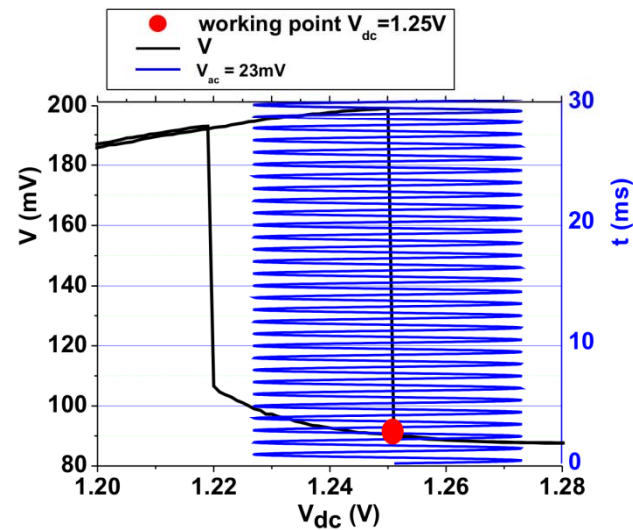
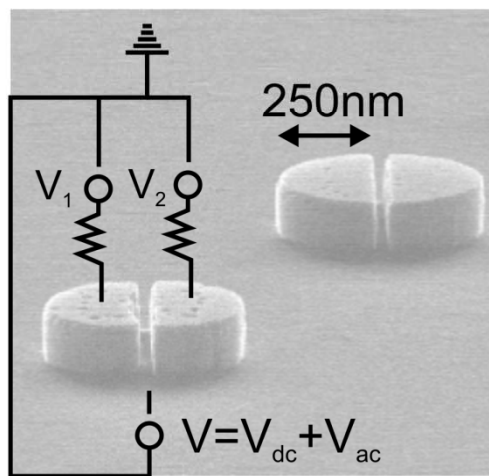
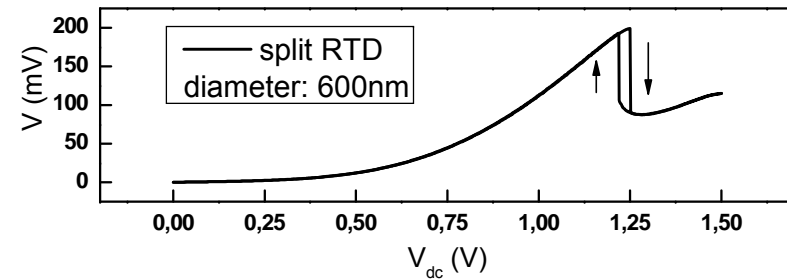
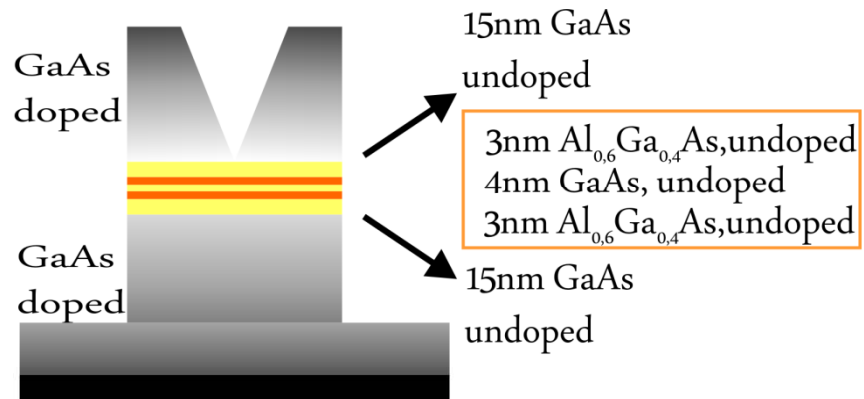


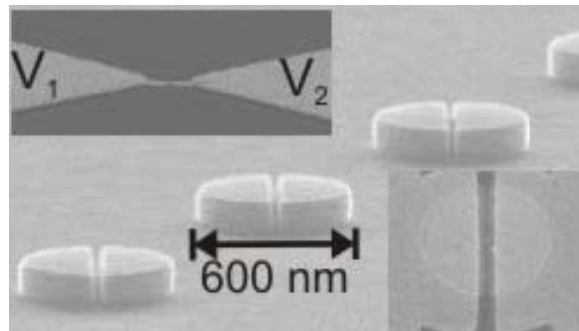
- Nanoelectronic semiconductor electronic devices
 - Technology
 - Nonlinear nanoelectronic transport
 - Magnetic field asymmetry in quantum wire
 - SR in a YBS as B field sensor
 - Y-branch as logic gate and GHz rectifier
 - **Logic stochastic resonance in RTDs**



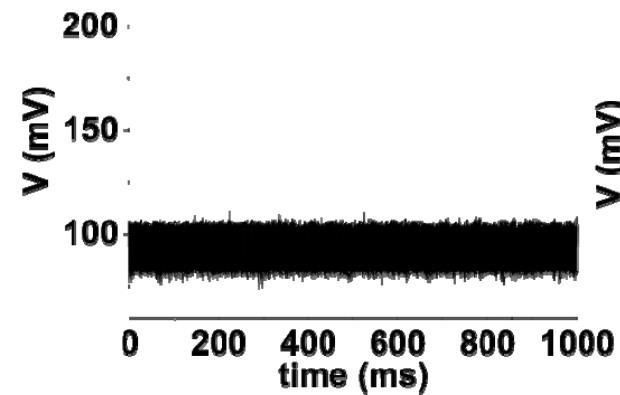
- fast operation \sim THz
- negative differential resistance
- ballistic operation at room temperature



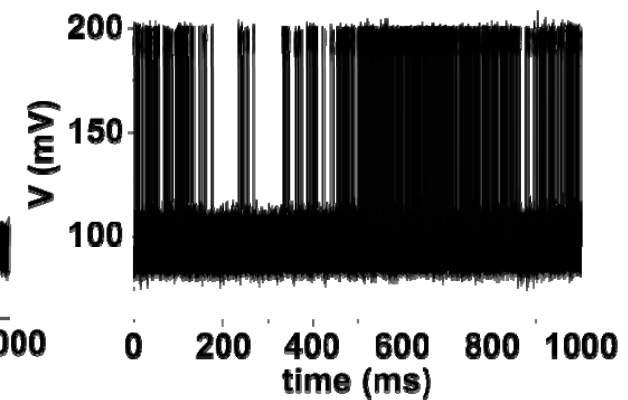




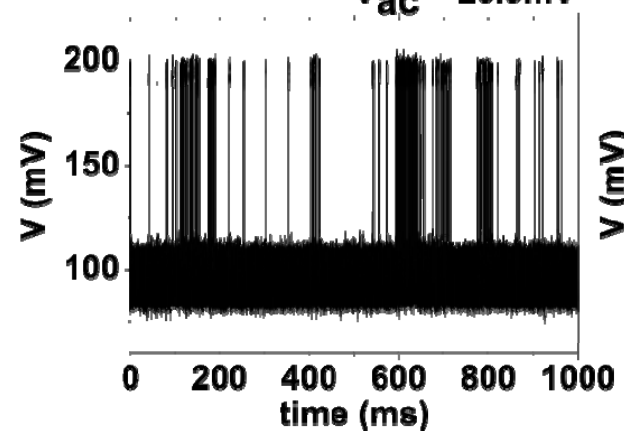
$V_{ac} = 23\text{mV}$



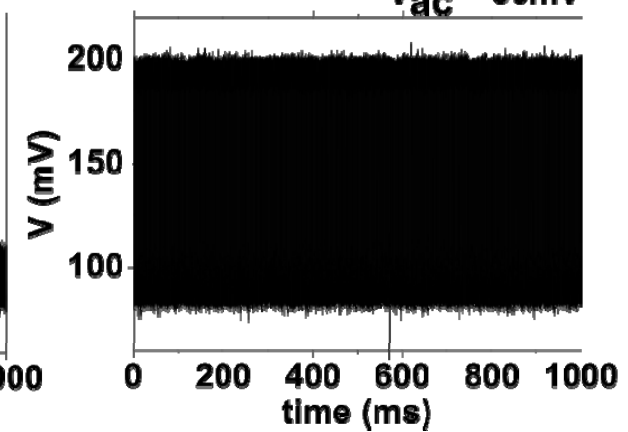
$V_{ac} = 26\text{mV}$



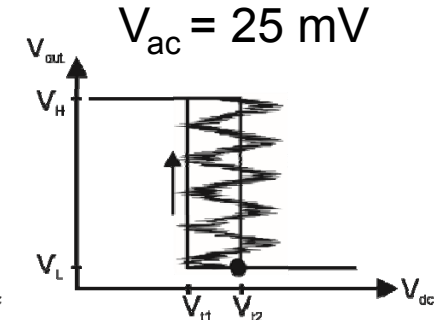
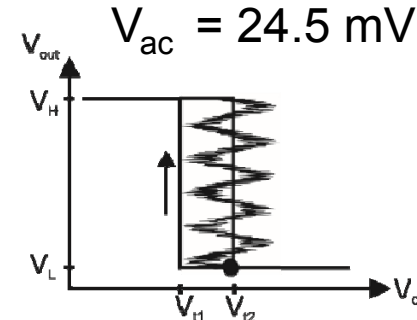
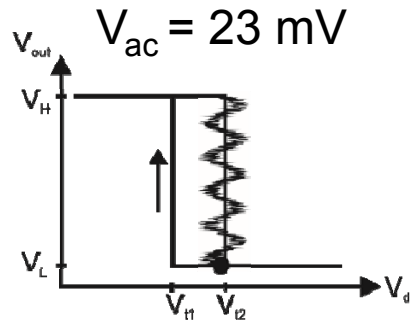
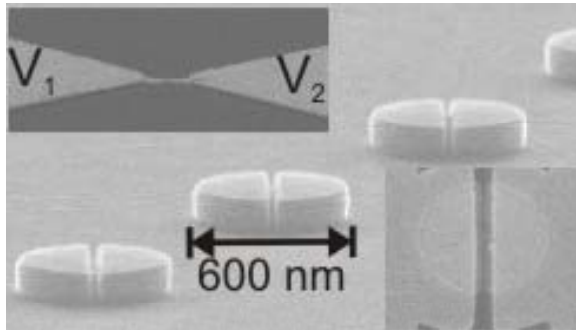
$V_{ac} = 25.9\text{mV}$



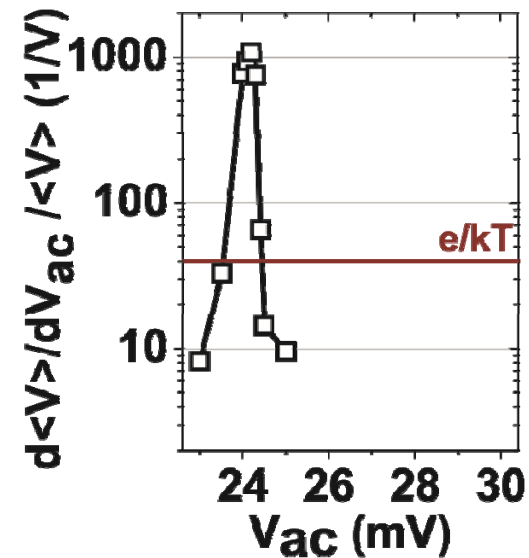
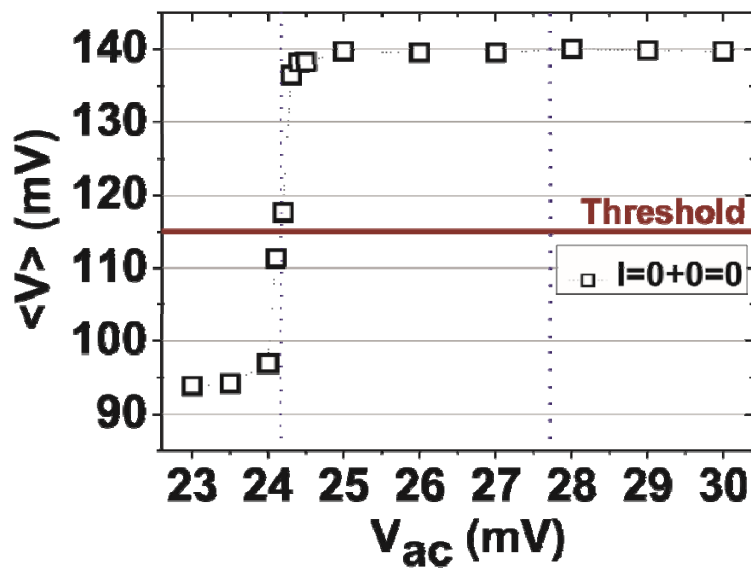
$V_{ac} = 30\text{mV}$

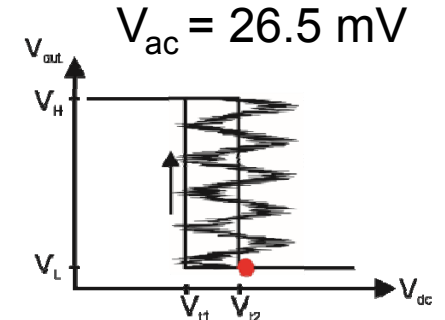
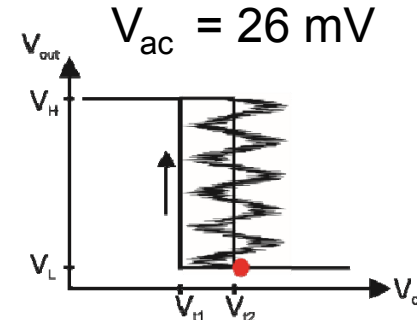
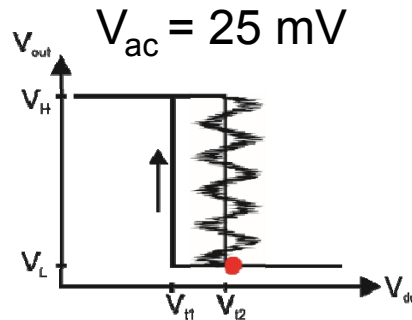
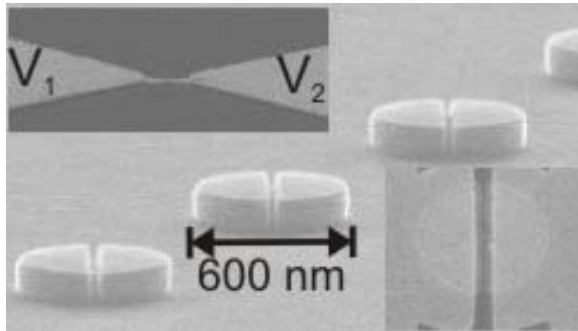


No thermal transconductance limit → ultra small switching voltages

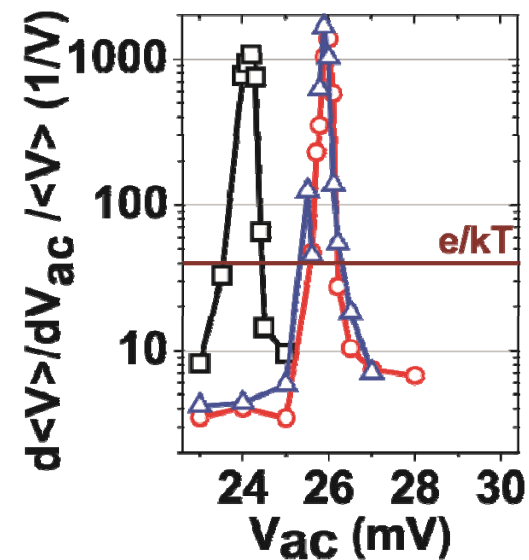
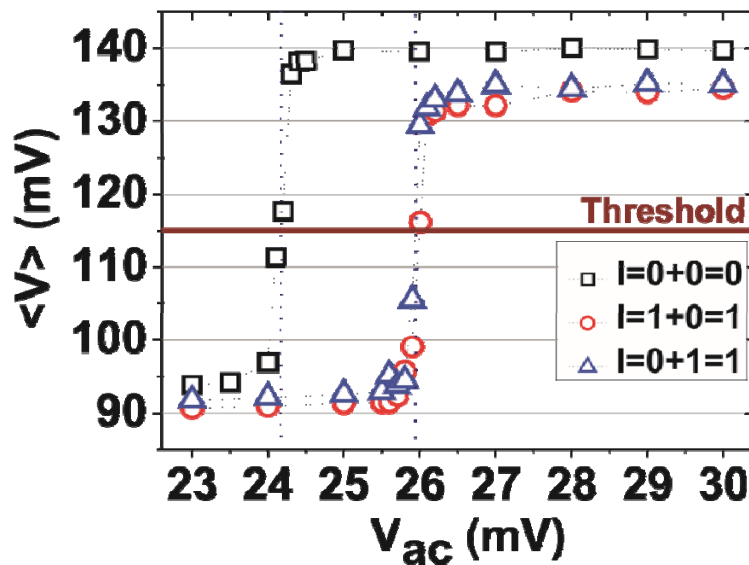


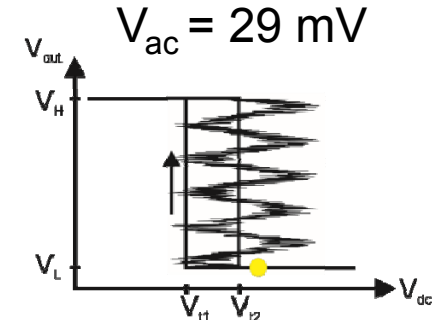
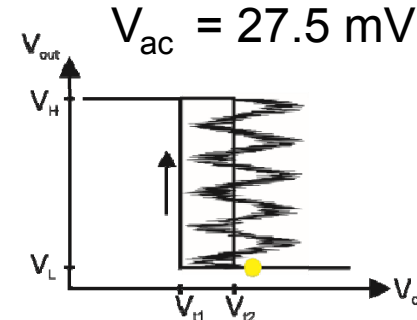
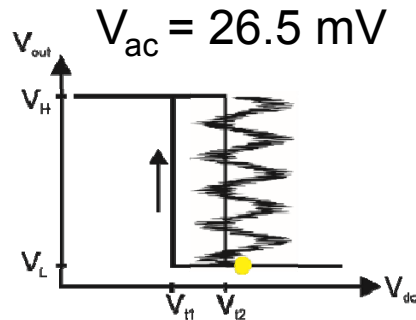
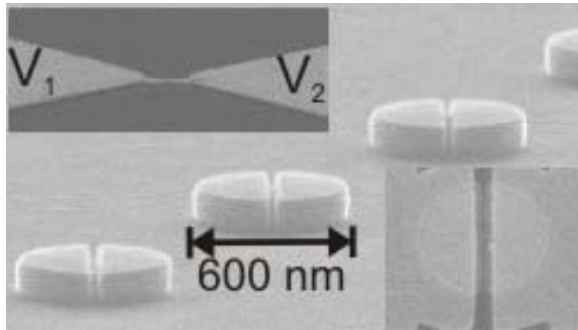
$V_1 = V_2 = 0 \text{ mV} \implies \text{Log. input } I = I_1 + I_2 = 0 + 0 = 0$



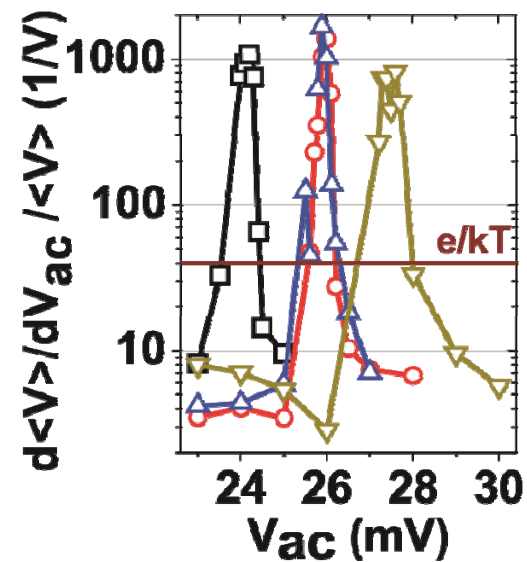
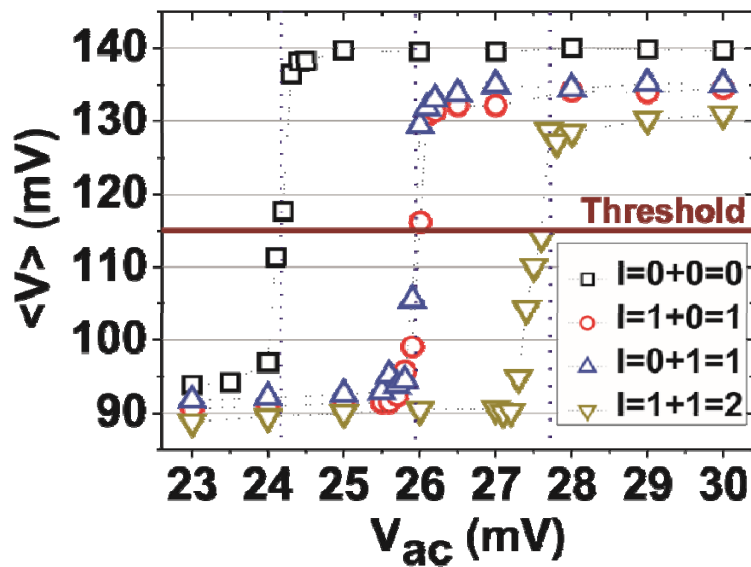


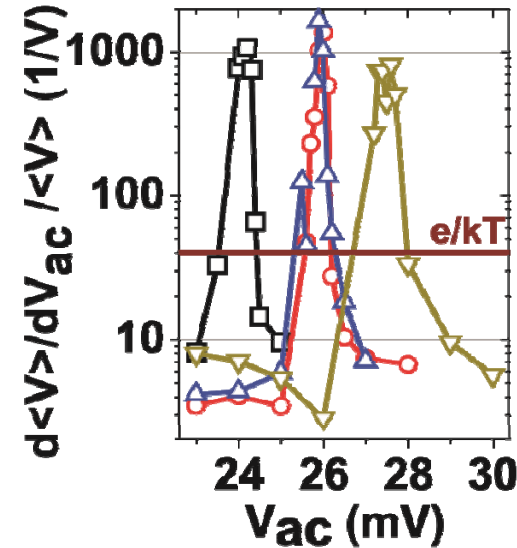
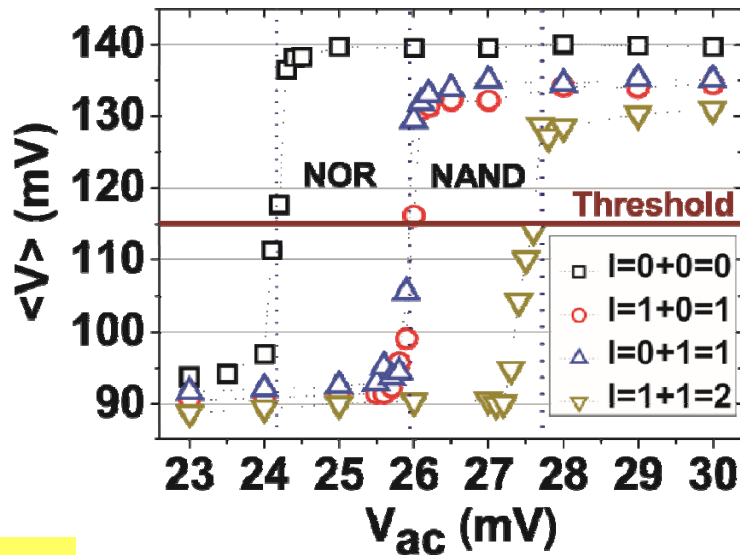
$V_1 = 0,2 \text{ V}_2 = 2,0 \text{ mV} \Rightarrow \text{Log. input } I = I_1 + I_2 = 1 + 0 = 0 + 1 = 1$





$V_1 = V_2 = 2 \text{ mV} \implies \text{Log. input } I = I_1 + I_2 = 1 + 1 = 2$





NOR

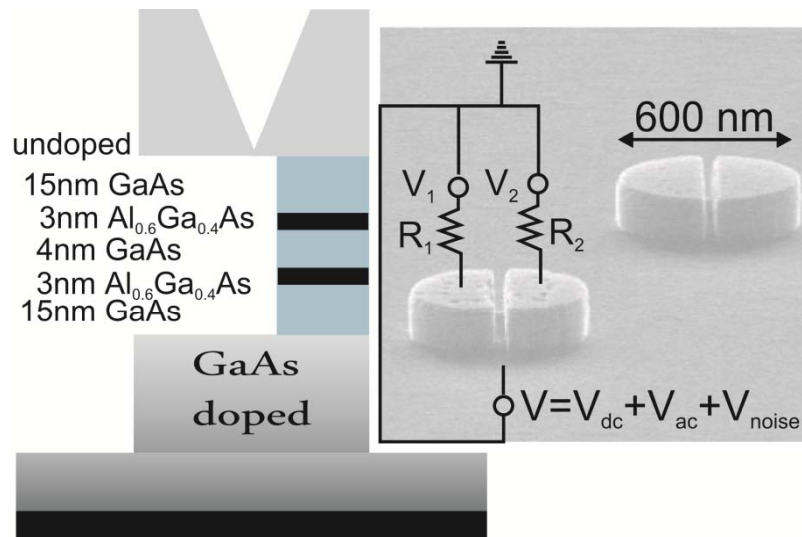
0	0		1
1	0		0
0	1		0
1	1		0

NAND

0	0		1
1	0		1
0	1		1
1	1		0



□ transition from NOR to NAND operation for amplitude changes smaller than 1 mV

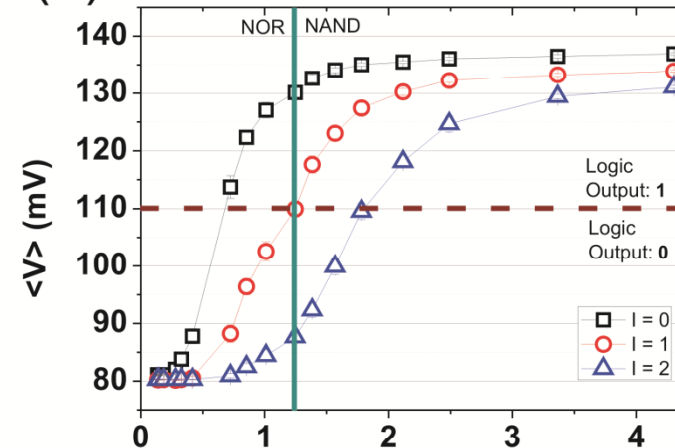


Murali, K. , Sinha, S. , Ditto, W. , Bulsara, A. Phys. Rev. Lett. **102**, 104101 (2009).

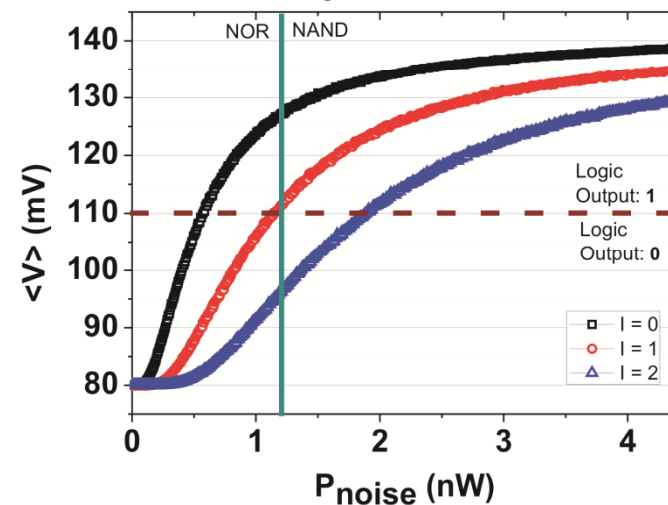
Murali, K., Rajamohamed, I. , Sinha, S. , Ditto, W. , and Bulsara, A. , Appl. Phys. Lett. 95, 194102 (2009).

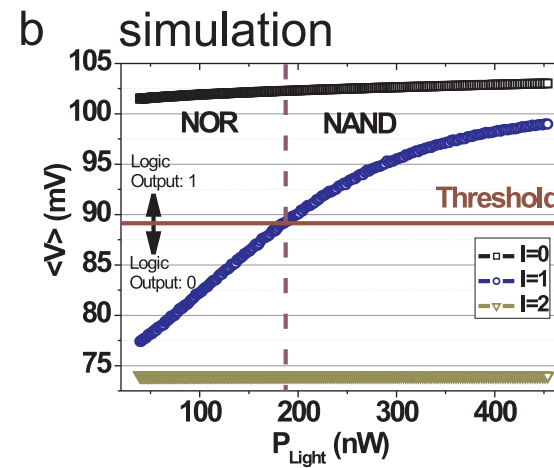
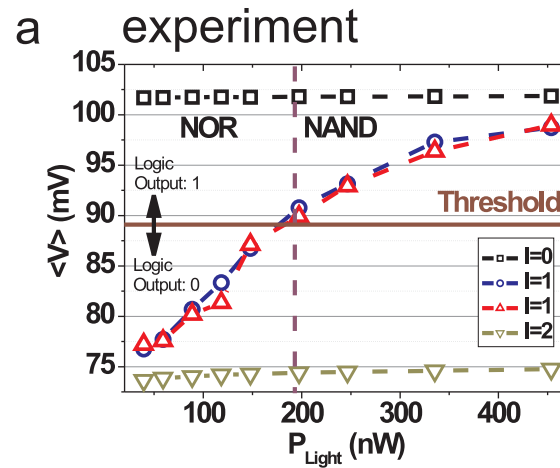
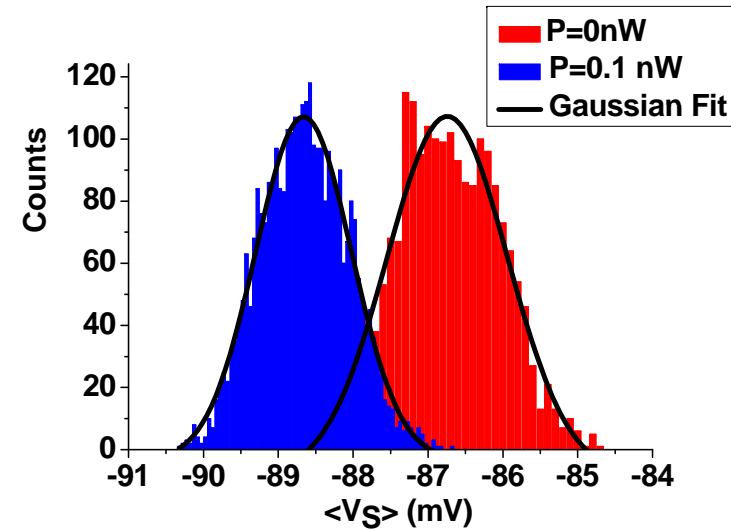
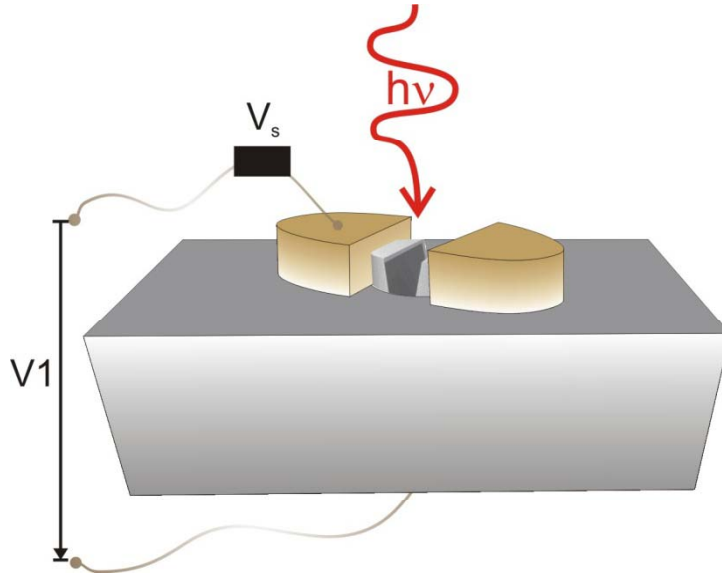
L. W., F. Hartmann, T. Y. Kim, S. Höfling, M. Kamp, A. Forchel, J. Ahopelto, I. Neri, A. Dari, L. Gamaitoni, APL 2010

(a) experiment



(b) theory





- Introduction into different nanoelectronic devices
- Nonlinear transport: rectification, bistable switching
- Noise-induced switching, logic stochastic resonance
- Routes for energy harvesting in nanoelectronics

Transport:

F. Hartmann, S. Kremling, S. Göpfert, A. Dari, L. Gammaitoni

Technology:

M. Emmerling, S. Kuhn, T. Steinl, G. Heller, M. Kamp

III-V samples:

C. Schneider, S. Höfling, A. Forchel

NANOPOWER

- Support via EU: SUBTLE & NANOPOWER

SUBTLE

SUB KT LOW ENERGY TRANSISTORS AND SENSORS

NANOPOWER

- **Many thanks for your attention!**